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RACETRACK

A COMPUTER CODE FOR THE SIMULATION

OF NONLINEAR PARTICLE MOTION IN ACCELERATORS

by

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Abstract

RACETRACK is a computer code to simulate transverse nonlinear particle motion in accelerators. Transverse magnetic fields of higher order are treated in thin magnet approximation. Multipoles up to 20 poles are included. Energy oscillations due to the nonlinear synchrotron motion are taken into account. Several additional features, as linear optics calculations, chromaticity adjustment, tune variation, orbit adjustment and others are available to guarantee a fast treatment of nonlinear dynamical problems.

1. Introduction

The FORTRAN program RACETRACK was originally developed to get a tool for investigating the influence of multipole errors in the superconducting dipoles on particle motion in HERA.^{1, 2, 3)}

Nonlinear elements are treated in thin magnet approximation. Normal and skew multipoles up to 20-poles are included. Each multipole strength is defined by a constant mean value and a random varying part. Systematic and/or random displacement errors of the multipoles can be introduced.

Special attention has been directed to simplify the input procedure to avoid time waisting error detection. So the tracking program was supplemented by a optics calculating part, which makes the detection of structure input errors very easy.

In order to reduce the revolution time, the single element structure is composed into a block structure consisting of a minimum number of different blocks, where each block is represented by its transformation matrix only.

Special features have been introduced for the performance of often used operations. The chromaticity can automatically be corrected or adjusted to desired values by using two sextupole families. The fractional part of tune can be varied by changing the strengths of two quadrupole families. Systematic or random dipole errors can be scaled to give desired rms errors of orbit deviations at monitor positions which can be defined.

The initial coordinates of an ensemble of particles can be explicitly introduced or arranged according to a Gaussian or a rectangular beam.

An ensemble of particles is found to be stable, if all particles over all revolutions remain within the physical aperture. The aperture is defined by aperture limiting insertions (either rectangular or elliptical) which can be placed at any position and may also have different values. Thus the actual geometrically varying aperture can be introduced.

Tracking can be performed for constant energy deviation or by varying the energy according to the actual nonlinear synchrotron oscillations. After each energy change due to synchrotron oscillations, the calculation of the energy dependent single element matrices and the composition into blocks is repeated.

An expansion of the presented version of RACETRACK by additional features is in the test phase and will be published in the next months. There resonance driving terms and resonance widths may be calculated. A compensation scheme for 3rd integer driving terms is introduced. A Fast Fourier transformation for the transverse motion is added and different orbit correction modes are implemented.

2. Analytical Description

Including general fields, the transverse motion of a particle in the nonlinear lattice can be expressed by

$$\begin{aligned} \frac{d^2x}{ds^2} + K_x(s) \cdot x &= \frac{e}{p_0} B_z(z, x, s) \\ \frac{d^2z}{ds^2} + K_z(s) \cdot z &= -\frac{e}{p_0} B_x(z, x, s) \end{aligned} \tag{1}$$

x, z, s horizontal, vertical and longitudinal coordinates in a right handed
(z, x, s) coordinate system
 k_x, k_z focusing strengths
 p_0 momentum of the particle
 B_x, B_z transverse components of the additional magnetic field
 e elementary charge

Since there exists in general no analytical solution for the equation of motion anymore, a computer simulation must be performed to investigate the particle dynamic in the presence of arbitrary field distortions.

Doing this, the equations of motions are solved piecewise for each element and an ensemble of particles with different initial coordinates is transformed through the single element structure.

For linear elements with constant focusing strength and radius of curvature, the homogeneous part of equation (1) leads to a simple linear transformation of the trajectory coordinates.

To make the nonlinear equation solvable a thin magnet approximation is used, that means the integrated effect is concentrated in a magnet element with zero length:

$$\begin{aligned} \frac{d^2x}{ds^2} &= \frac{e}{p_0} \delta(s) \int_{-l/2}^{l/2} B_z(z, x, s) ds \\ \frac{d^2z}{ds^2} &= -\frac{e}{p_0} \delta(s) \int_{-l/2}^{l/2} B_x(z, x, s) ds \end{aligned} \quad (2)$$

l magnet length

Thus the thin magnet transformation merely changes the direction of the particle trajectory according to

$$\begin{aligned} \delta_{z'} &= \frac{\bar{B}_z l}{B_0 \rho} \\ \delta_{x'} &= -\frac{\bar{B}_z l}{B_0 \rho} \end{aligned} \quad (3)$$

It is practical to use a multipole expansion for the analytical description of the additional magnetic field:

$$\bar{B}_z + i\bar{B}_x = B_0 \sum_{n=1} (b_n + ia_n)(x + iz)^{n-1} \quad (4)$$

b_n, a_n normal and skew multipole coefficients
 $n = 1$ dipole
2 quadrupole
.
.
etc

Substituting (3) in equation (4), we get for the horizontal and vertical deflection of the trajectory coordinates due to multipoles

$$\begin{aligned}\delta_{x'} &= \frac{l}{s} \operatorname{Re} \left\{ \sum_n (b_n + i a_n) (x + iz)^{n-1} \right\} \\ \delta_{z'} &= - \frac{l}{s} \operatorname{Im} \left\{ \sum_n (b_n + i a_n) (x + iz)^{n-1} \right\}\end{aligned}\tag{5}$$

For the definition of the initial trajectory coordinates the linear beam size, i.e. the twiss parameters α and β at the starting point must be calculated. Therefore first the closed orbit must be found in the presence of all non-linear elements. It is done in an iterative way with help of the linear transformation matrix M at the design orbit. The best initial guess of the closed orbit is taken as

$$\vec{y}_0 = \frac{\Delta p}{p} \vec{D}\tag{6}$$

and the deviation from this orbit is then given with help of the equations

$$\vec{y}_0 + \Delta \vec{y}_0 = M(\vec{y}_0 + \Delta \vec{y}_0)$$

$$\vec{y}_0 = M \vec{y}_0$$

as

$$\Delta \vec{y}_0 = [M - 1]^{-1} (\vec{y}_0 - \vec{y}_0)\tag{7}$$

for one iteration step (\vec{y}_1 is calculated by transforming the initial vector \vec{y}_0 through the nonlinear structure).

Once the closed orbit is found, the optics with linearized fields along this orbit must be calculated. The expansions of equations (5) for quadrupole contributions along the closed orbit (x_0, z_0) are given by

$$\begin{aligned} \delta_{x'}(x_0 + x) &= \delta_{x'}(x_0) + \left. \frac{\partial \delta_{x'}}{\partial x} \right|_{x_0} \cdot x \\ \delta_{z'}(z_0 + z) &= \delta_{z'}(z_0) + \left. \frac{\partial \delta_{z'}}{\partial z} \right|_{z_0} z \end{aligned} \quad (8)$$

By solving the eigenwert equations of the revolution matrix along the closed orbit the twiss parameters α and β and the fractional parts of tunes are found.

The initial trajectory coordinates can then be defined for constant betatron amplitude and distributed uniformly on the phase ellipses of both planes.

$$\begin{aligned} x_i &= x_0 + A_x \cos \varphi_{xi} \\ x_i' &= x_0' - \frac{A_x}{\beta_x} (\sin \varphi_{xi} + d_x \cos \varphi_{xi}) \\ z_i &= z_0 + A_z \cos \varphi_{zi} \\ z_i' &= z_0' - \frac{A_z}{\beta_z} (\sin \varphi_{zi} + d_z \cos \varphi_{zi}) \end{aligned} \quad (9)$$

with the starting point parameters

x_0, x_0', z_0, z_0'	closed orbit
$\beta_x, \alpha_x, \beta_z, \alpha_z$	twiss parameters
A_x, A_z	betatron amplitudes
$\varphi_{xi}, \varphi_{zi}$	distribution parameters
x_i, x_i', z_i, z_i'	initial coordinates

Regarding the initial coupling between horizontal and vertical motion, described by the emittance ratio

$$\begin{aligned} K &= \frac{\epsilon_{z0}}{\epsilon_{x0}} & A_{x0}^2 &= \epsilon_{x0} \beta_x \\ & & A_{z0}^2 &= \epsilon_{z0} \beta_z \end{aligned} \quad (10)$$

the situation is different in the electron case as compared to protons. For electrons: the equilibrium between quantum excitation and damping gives a Gaussian particle distribution. With respect to the transverse coordinates x , z and their derivatives x' , z' we have a four dimensional Gaussian distribution. Scraping this distribution along hyperpheres with constant particle density gives the same reduction in lifetime and therefore the maximum stable hypersphere in the Gaussian distribution should be found by tracking. The actual shape of the stability boundary is of minor interest.

Thus we are looking for the maximum stable horizontal emittance ϵ_{x0} for amplitudes chosen by the following relations:

$$A_{xj} = \epsilon_{x0} \beta_x \cos \psi_j, \quad A_{zj} = K \epsilon_{x0} \beta_z \sin \psi_j \quad (11)$$

ψ_j distribution parameter

For each amplitude pair the trajectory coordinates are selected according to equations (9).

In terms of oscillation amplitudes the distribution is quadratic

$$\frac{A_{xj}^2}{\beta_x} + \frac{A_{zj}^2}{K \beta_z} = \epsilon_{x0} \quad (12)$$

and we call it an elliptical distribution.

In proton accelerators the emittance ratio is usually defined by the injection procedure and in principle one can fill the entire stable acceptance with particles. But since the calculation of the entire boundary shape is very time consuming one usually prefers to calculate the maximum stable amplitude A_x (or emittance ϵ_{x0}) for constant emittance ratio, or

$$A_z = A_x \sqrt{K \frac{\beta_z}{\beta_x}} \quad (13)$$

corresponding to the diagonal of linear beam size rectangular in amplitude plane.

We call this a rectangular distribution.

For exploring the stability range in the tune diagram around an suitable working point, in RACETRACK the fractional part of tune may be automatically adjusted to desired values. The task is activated by introducing an additional data block in the input stream.

For two quadrupole families the sensitivity matrix is calculated

$$M_Q = \begin{bmatrix} \frac{\partial Q_x}{\partial k_1} & \frac{\partial Q_x}{\partial k_2} \\ \frac{\partial Q_z}{\partial k_1} & \frac{\partial Q_z}{\partial k_2} \end{bmatrix} \quad (14)$$

and the correction is performed in an iterative way corresponding to

$$\begin{bmatrix} \Delta k_1 \\ \Delta k_2 \end{bmatrix} = M_Q^{-1} \begin{bmatrix} \Delta Q_x \\ \Delta Q_z \end{bmatrix} \quad (15)$$

$\Delta k_{1,2}$ increments in quadrupole strengths
 $\Delta Q_{x,z}$ desired change in tune.

Similarly the chromaticity may be adjusted to desired values by using two sextupole families. The derivative of the tunes with respect to the relative energy deviation is obtained by calculating the tunes for zero and small $\pm \Delta p/p$ momentum deviations.

For both procedures adjustment is repeated until the difference to the desired values is below the accuracy parameter. Instead of single type families also combinations of quadrupole and sextupole families may be used for the optimization procedure.

Another possible feature of RACETRACK is the introduction of energy variations according to the actual synchrotron oscillation. For this operation mode cavities must be introduced in the structure.

Synchrotron phase ϕ and energy E are varied according to the equations

$$\begin{aligned} \text{Cavity: } E_{n+1} &= E_n + e \frac{U_0}{n_c} [\sin(\Psi + \phi_n) - \sin \Psi] \\ \phi_{n+1} &= \phi_n \end{aligned} \tag{16}$$

$$\begin{aligned} \text{Arc: } E_{n+2} &= E_{n+1} \\ \phi_{n+2} &= \phi_{n+1} - 2\pi q C_\theta \frac{E_{n+1} - E_0}{E_0} \end{aligned} \tag{17}$$

with U_0 total voltage
 n_c No. of cavities per circumference
 Ψ synchronous phase
 q harmonic number
 E_0 equilibrium energy
 e elementary charge

and

$$C_\theta = \oint \frac{D(s) ds}{\rho_0(s) L_0} = \alpha_c / n_c \quad \text{for superperiodic arrangement of cavities}$$

α_c momentum compaction
 ρ_0 bending radius

After each energy change according to equation (16), the linear transformations are recalculated and the composition into structure blocks is repeated.

3. Data Structure

The code is executed by a set of data blocks according to the tasks to be performed. Each of the blocks has a command which identifies the task, followed by data specific for the block. At the end of each data block the command "NEXT" is expected.

The minimum program input consists of the "SINGLE ELEMENTS" list, the "BLOCK DEFINITION" i.e. the composition of single elements into groups, and the "STRUCTURE INPUT" of the ring.

Beside these structure definitions, operational blocks are introduced in the input stream for initiating special calculations.

In the following a detailed definition of all data blocks is given. A complete input and output example of the program is given in Appendices 1 and 2. The end of the data input is assigned by the command "ENDE" in format (A4).

3.1 Program Versions

Since flexibility and speed of a tracking program are contradicting requirements, two versions of the program, either matched for speed or flexibility are available. Setting the first data card either

to SPEED
or FLEXIBILITY

the corresponding mode is selected (default = SPEED). The input data of "SPEED" are compatible with the program mode "FLEXIBILITY", but not vice versa.

In the more general version single multipoles from dipoles up to 20 poles, normal and skew can be introduced. In addition a nonlinear insertion including all these multipoles in one element is available. Displacement errors of the thin magnet elements can be introduced. The aperture limitation may either be chosen as rectangular or elliptical and combined with each thin element insertion.

Monitor positions may be explicitly introduced or combined with other thin magnet elements. The actual nonlinear synchrotron motion may be included. In the speed optimized version, only the normal sextupole for chromaticity-correction and the combined multipole insertions are included. The closed orbit displacement measurements and aperture limitations are combined with the normal sextupoles. Only constant energy tracking can be performed. The remaining columns (after A4, 8x) may be used for the heading.

3.2 SINGLE ELEMENTS

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
SINGLE ELEMENTS-----+-----
QV1  2  .0          .0347128  5.0
QH1  2  .0          -.03417102  3.6
QI1  2  .0          .01389337  1.8
QI2  2  .0          .0470378   1.8
QF   2  .0          -.03493976  1.8
QD   2  .0          .03440086  1.8
BI1  1  .0016783    .0          6.0
BI2  1  .0016783    .0          3.0
BV1  4  -.00096666  .0          6.0
BV2  4  .00096666  .0          6.0
DINT 0              10.0
DB1  0              7.9
DB2  0              0.5
DB3  0              1.384
MPM  10
SPH  3  -.20962
SPV  3  -.01591
OC1  4  .01000      0          1.5      0.      1.5
OC2  4  -.01000     0          1.5      0.      1.5
NEXT-----
```

Linear and nonlinear single elements may be introduced in arbitrary order. A maximum number of 100 elements is allowed.

3.2.1 Linear Single Element

Each linear single element is defined by the name, label, inverse bending radius, focusing strength and length.

NAME, LABEL, $1/\rho$ [m^{-1}], k [m^{-2}], l [m]

Format (A4, I4, 3D12)

The following magnet types assigned by the label can be used:

label

- 0 drift space
- 1 horizontal bending, wedge- or combined function magnet horizontal
- 2 quadrupole
- 3 vertical bending, wedge- or combined function magnet vertical
- 4 horizontal bending, sector
- 5 vertical bending, sector
- 6 edge focusing

$1/\rho > 0$ in the horizontal plane is used for the deflection of the normal bending magnets. In the vertical plane the positive sign indicates a deflection in the upwards direction

$k < 0$ corresponds to a horizontal focusing quadrupole

The edge focusing element with label 6 is necessarily used if a rectangular magnet is split to introduce nonlinear insertions in between. It is horizontally defocusing corresponding to a horizontal rectangular magnet. Inverse bending radius and length for this element are the values of the complete, non split bending magnet.

Introducing a negative length at this position, a horizontal focusing element is produced corresponding to a vertically deflecting wedge magnet.

3.2.2 Nonlinear Single Element

The nonlinear single element is characterized by its name, a label defining the type, the mean value of the strength, the rms value of the random fluctuating part of the strength and the length "zero", which distinguishes the nonlinear insertion from the linear element. In addition horizontal or vertical displacements of nonlinear elements, either systematic or statistically fluctuating, can be introduced (x , x -rms, z , z -rms).

The input has the following form:

NAME, LABEL, STRENGTH [in m^{-n+1} for a $2n$ -pole],
STRENGTH-rms [m^{-n+1}], LENGTH-0, x [mm], x -rms [mm], z [mm], z -rms [mm]

Format (A4, I4, 3D12, 4F7).

Positive labels from 1 to 10 are used for horizontal dipoles, normal quadrupoles and normal multipoles up to 20-poles, i.e.

label "+ n" corresponds to a normal 2n-pole "B_n"

Correspondingly negative labels from - 1 to - 10 are used for vertical dipoles, skew quadrupoles and skew multipoles up to 20-poles

label "- n" corresponds to a skew 2n-pole "A_n"

Label 11 is used for a thin magnet element containing all normal and skew multipoles up to 20-poles at the same position. Using this element type, the additional data block "MULTIPOLE COEFFICIENTS" is necessary.

In Appendix 3 all nonlinear transformations are collected.

The input multipole strengths A_n on B_n in [meter⁻ⁿ⁺¹] are related to the multipole coefficients of equation (1) by

$$\begin{aligned} A_n &= \delta_o a_n \\ B_n &= \delta_o b_n \end{aligned}$$

δ_o deflection of the normal bending magnet
 a_n, b_n multipole coefficients as defined in equation (4)

SPEED-mode: Only the combined multipole insertion and normal sextupoles without displacement and field errors are allowed.

3.3 BLOCK DEFINITIONS

Input example:

```

-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
BLOCK DEFINITIONS-----
  4 1 1 1 1
BL1 DINT QV1 QH1 BI1 QI1 DB2 BV1 QI2 QI3 QI4
    DB1 BI2 DB2 BI2 QI5 DB3 BI2 DV1 BV2 QI6
BL2 DB4 BI2 DB5 BI2 QI7
BL3 DB6 BI2 QI8
BL4 DB B/6
BLS B/3
BLA B/6 QB3
BLB B/6 QB1
BLC B/6 QJ6
BLD DV3 BV2 QJS QJ4 QJ3 QJ2 DV2 BV1 QJ1 BJ1
    QH2 QV2 DINT
NEXT-----

```

To reduce computation time, structure parts which are identical are composed into blocks, where during computation each block is represented by its transformation matrix only. A block is defined by its name and the single element structure in the following form:

BLOCK NAME, ELEMENT NAME, ELEMENT NAME, ...

Format (5x, 11(A4, 1x))

The number of elements introduced by one line is less or equal to 10. If more than 10 elements shall be composed into one block, an arbitrary number of continuation cards must be used in the following form:

ELEMENT NAME, ELEMENT NAME, ...

Format (10x, 10(A4, 1x))

The element name corresponds to the name defined in the data block "SINGLE ELEMENTS"

3.4 STRUCTURE INPUT

Input example:

```

-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
STRUCTURE INPUT-----
    BL1 BL2A SP0 BL2B SP0 BL2C BL3A SP0 BL3B
    BL4 SPH PS BLS PS BLS PS SPV BL9
18*( BL4 SPV PS BLS PS BLS PS SPH BL10 APT
    BL4 SPH PS BLS PS BLS PS SPV BL11 APT
    )
    BL4 SPV PS BLS PS BLS PS SPH BL10
    BL4 SPH MPM BLS MPM BLS MPM SPV BL20
    BL21
NEXT-----

```

The structure blocks defined above and the nonlinear single elements are arranged corresponding to the magnet structure. The total number of blocks + nonlinear insertions may not exceed 5000. The structure input is given by cards with maximum 10 block elements in the following form:

BLOCK, BLOCK, NONLINEAR INSERTION, BLOCK ...

Format (10x, 10(A4, 1x))

Repetitions of structure parts are introduced by brackets and a multiplying factor in front of the expression:

```
N * (BL1, BL2, BL3, SPH
      BL4, BL5, BL6, BL7, SPV
      BL8, BL9
      )
```

```
Format (4x, I3, 1x, A1, 1x, 10(A4, 1x)
        10x, 10(A4, 1x)
        8x, A1
        )
```

By this input the block structure in between the brackets will be repeated N times.

3.5 MULTIPOLE COEFFICIENTS

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
MULTIPOLE COEFFICIENTS-----
          25.0      10.06921
          0.        0.0001544 0.        0.0000635
          0.        0.0000833 0.        0.0000833
          0.0030    0.000300 0.        0.00007
          0.        0.00007 0.        0.00007
          0.        0.00007 0.        0.00007
          0.        0.00007 0.        0.00007
          -0.00029  0.00007 0.        0.00007
          0.        0.00007 0.        0.00007
          -0.00048  0.00007 0.        0.00007
          0.        0.00007 0.        0.00007
NEXT-----
```

As already mentioned above, the nonlinear insertion assigned by label 11 in data block "SINGLE ELEMENTS" introduces nonlinear fields with normal and skew multipoles up to 20-poles. This data block is used for defining the multipole strengths of an element with label 11.

The input is given by

RO [mm], DO [mrad]	Format (10x, 2F10,
B ₁ , B ₁ -rms, A ₁ , A ₁ -rms	10x, 4F10
·	·
·	·
·	·
B ₁₀ , B ₁₀ -rms, A ₁₀ , A ₁₀ -rms	10x, 4F10)

With B_n and A_n the systematic normal and skew multipole strengths and B_n-rms and A_n-rms the randomly varying part.

Since the relevant multipoles are normally the result of an integrated field measurement at radius RO in the bending magnet, the input strengths are defined as relative deflection strengths at RO, i.e.

$$B_n, A_n = \left. \frac{\delta_n / \delta_0}{(R/R_0)^{n-1}} \right|_{R=R_0} = \delta_n / \delta_0$$

With δ_0 nominal deflection of the bending magnet
 δ_n deflection due to multipole 2n

For a nonrelative form of input strengths, DO must be set to 1000. and RO must be expressed by the unit of the multipole strength in mm.

Example:

Multipole expressed in	for	DO	RO
[inch ⁻ⁿ⁺¹]		1000.	25.4
[meter ⁻ⁿ⁺¹]		1000.	1000

3.6 RANDOM FLUCTUATION STARTING NUMBER

Input example:

```

-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
RANDOM FLUCTUATION STARTING NUMBER-----
                0000000000011822903
NEXT-----

```

For the statistical fluctuation of multipole strengths and multipole displacements a Gaussian random distribution is used. This data block may be used to set the initial value of the random sequence. It has one data card of the form:

RNO Format (10x, I20)

If the data block is missing, the initial value will internally be produced and listed in the output.

3.7 PRINTOUT SELECTION

Input example:

```

-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
PRINTOUT SELECTION-----
NEXT-----

```

Using this data block, the input data will appear in the output list.

The string "PLOT" introduced in the structure defined in data block "STRUCTURE INPUT" will produce an output with phase space diagrams of the particle motion at that position.

SPEED-mode: No phase space diagrams are available.

3.8 LINEAR OPTICS CALCULATION

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----  
LINEAR OPTICS CALCULATION-----  
ELEMENT          13  
NEXT-----
```

Calculation and printout of linear optics is initiated by this data block. The input data have the form:

CALCULATION MODE, NO. OF BLOCKS

Format (A4, 6x, I10)

The first parameters defining the output mode can either be the string "BLOCK" or "ELEMENT", performing calculation and output for the block structure or the single element structure. The printout of the optical parameters is given at the end of each block or single element. The second parameter defines the number of blocks for which the calculation of linear optics should be performed. The complete structure is calculated for zero or blank at this position.

3.9 TUNE VARIATION

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----  
TUNE VARIATION-----  
QF          0.15  
QD          0.179  
NEXT-----
```

For the investigation of optical structures the tunes must be varied to avoid influences of nearby resonances on stable acceptance. As outlined in chapter 2, this data block can be used for varying the fractional tunes by two quadrupole families.

The input has the form:

```
NAME QUADRUPOLE-1, DELTA-QH
NAME QUADRUPOLE-2, DELTA-QV
```

```
Format (A4, 6x, F10,
        A4, 6x, F10)
```

By changing the selected quadrupole families the fractional tunes are set to the required values DELTA-QH and DELTA-QV.

Since there is an ambiguity in the fractional tune calculation, only the range between - 0.5 and + 0.5 can be adjusted by this data block in one step. For variations beyond these limits the quadrupole strength must slightly be changed to skip these limits. The output of the fractional tune corresponds to the deviation from the integer part in the range "integer \pm 0.5".

3.10 CHROMATICITY ADJUSTMENT

Input example:

```
-----1-----2-----3-----4-----5-----6-----7-----
CHROMATICITY CORRECTION-----
SPH          1.5
SPU          1.5
NEXT-----
```

Two sextupole families can be used to compensate the chromaticity or to adjust it to desired values.

The data input has the form:

```
NAME, SEXTUPOLE-1, CHROMATICITY-H
NAME, SEXTUPOLE-2, CHROMATICITY-V
```

```
Format (A4, 6x, F10,
        A4, 6x, F10)
```

with the sextupole names corresponding to the single element list and the horizontal and vertical chromaticities which should be adjusted.

3.11 COMBINATIONS OF ELEMENTS

Input example:

```
-----1-----2-----3-----4-----5-----6-----7-----
COMBINATION OF ELEMENTS-----
QF          - 0.5      QF1
QD          1.234     QD1  -0.233   QD2
SPH         0.8      SPHA
SPU        -0.75     SPUA
NEXT-----
```

For the tune variation it is sometimes desirable, instead of varying two families, to use combinations of quadrupole families to guarantee for instance an orthogonal variation of horizontal and vertical tune. Similar for the chromaticity correction it might be useful to keep the ratio of sextupole strengths constant which are optimized for instance for resonance compensation.

With the data block under consideration the quadrupole types used in "TUNE VARIATION" or sextupole types used in "CHROMATICITY ADJUSTMENT" may be related by a fixed ratio to other elements.

Input data:

ELEMENT-0, RATIO-1, ELEMENT-1, RATIO-2, ELEMENT-2, ...

- .
- .
- .
- .

4 lines maximum

Format (A4, 6x, 4(F10, A4, 1x))

ELEMENT-0 is one of the elements used in data blocks "TUNE VARIATION" or "CHROMATICITY ADJUSTMENT". For the optimization procedures indicated by these blocks the ratio to all following elements in the data line (maximum = 4 elements) is kept constant according to

$$\text{RATIO-}i = \frac{\text{STRENGTH (ELEMENT-}i\text{)}}{\text{STRENGTH (ELEMENT-0)}}$$

For each of the elements used in the data blocks mentioned, combinations with other elements may be established.

3.12 ORBIT ADJUSTMENT

Input example:

```
-----1-----2-----3-----4-----5-----6-----7-----
ORBIT ADJUSTMENT-----
 1.5      1.5
MON=SPH
MON=SPU
NEXT-----
```

Dipole errors assigned by label 1 and -1 in the single element list or included in the combined multipole insertion with label 11 can be adjusted to give desired orbit rms values. The positions of orbit measurement are either introduced explicitly by the symbol MON in the block "STRUCTURE INPUT", or given by mapping of the orbit displacement measurement on another insertion as explained below.

The random and systematic dipole errors will be scaled to give the required orbit displacements.

Data input:

```
X-RMS [mm], Z-RMS [mm]
MON = NAME-1
MON = NAME-2
.
.
Format (2F10/A4, 1x, A4)
```

The first line includes the horizontal and vertical orbit rms values as desired.

In the second line, and an arbitrary number of following lines the positions of orbit displacements monitors are defined. Nonlinear insertion of type NAME in the single element list will be the position of orbit measurement.

SPEED-mode: Only dipole errors in the combined multipole insertion are scaled and no explicit introduction of orbit measurement by the symbol "MON" is allowed. The orbit measurement is performed at the positions of normal sextupoles.

3.13 INITIAL COORDINATES

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
INITIAL COORDINATES-----
TRAJ      10.6      0.0      5.3      0.0
          -15.0     1.0      6.7     -0.7
          4.0      2.0      3.5      1.8
NEXT-----
```

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
INITIAL COORDINATES-----
SET       0.0      0.0      3.0      0.0
          0.0      0.0      0.15     0.0
NEXT-----
```

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----
INITIAL COORDINATES-----
          4 15.      90.0      0.5
          4 0.      30.0
NEXT-----
```

This data block is used to define the number of particles and the initial trajectory coordinates. Three modes may be used. The initial coordinates can either be introduced explicitly, arranged according to a rectangular beam, or according to a Gaussian or elliptical beam.

a) Explicit Initial Coordinates

Up to 100 trajectories can be tracked at the same time. Their initial coordinates can be introduced in the following form:

```
"TRAJ", x1 [mm], x1' [mrad], z1' [mrad], z1' [mrad]
          x2      , x2'      , z2      , z2'
          .
          .
Format (A4, 6x, 4F10)
```

The string "TRAJ" indicates that explicit initial coordinates are following. x_i , z_i are the horizontal and vertical initial displacements and x_i' and z_i' the corresponding derivatives.

Normally, when using the program for particle tracking in circular accelerators, the twiss parameters and the closed orbit at the starting point are calculated by the program. This calculation may be suppressed, if the following parameters are introduced in the data block of consideration.

"SET", CLO-H, CLO'-H, BETA-H, ALFA-H
CLO-V, CLO'-V, BETA-V, ALFA-V

Format (A4, 6x, 4F10/10x, 4F10)

With the following meaning:

CLO-H,V	horizontal and vertical closed orbit deviation at the starting point
CLO'-H,V	derivatives of the closed orbit
BETA-H,V	beta values at the starting point
ALFA-H,V	alfa values at the starting point

This input mode can be used in combination with the following definitions of rectangular and elliptical particle distributions as an alternative way to set the initial coordinates. It will be used if noncircular structures are investigated and is also very helpful for error detection in a new structure input. In combination with the "LINEAR OPTICS CALCULATION", the position of a lattice input error can easily be detected.

b) Rectangular Distribution

Initial coordinates of a rectangular beam can be introduced by the following data structure:

NP, F10 [degree], DFI [degree], K

Format (6x, I4, 3 F10)

That means NP particles are distributed on the horizontal phase ellipse at the starting point according to equation (9). The initial betatron phase of the first particle is F10. The following particles are spaced by DFI.

The same arrangement is used in the vertical plane and each horizontal coordinate is combined with all vertical coordinates. Thus a total number of NP*NP particles will be introduced in this way.

The amplitude ratio between the vertical and horizontal plane is defined by the coupling constant or emittance ratio K. Using this kind of particle distribution, the initial coupling K is constant for all particles.

c) Elliptical Distribution

If in addition to b) a data line of the following form is introduced:

NPA, PS10 [degree], DPSI [degree]

Format (6x, I4, 2 F10)

the arrangement of initial coordinates is performed corresponding to an elliptical distribution. The amplitude ratio between vertical and horizontal motion is not constant anymore, but varying according to equation (11). For each of the amplitude combinations an arrangement as outlined in b) is produced. Thus the total number of tracked particles is given by the product NPA*NP*NP.

3.14 TRACKING PARAMETERS

Input example:

```
-----1-----2-----3-----4-----5-----6-----7-----
TRACKING PARAMETERS-----
      100
      20 25.0      10.0
      5 -0.01      0.01
NEXT-----
```

The number of revolutions, the starting amplitude and the relative energy deviation are introduced here in the following way:

NUML	Format (6x, I4/
NAP, ASTART, AMP	6x, I4, 2 F10/
IPM, DP+, DP-	6x, I4, 2 F10)

Where NUML is the number of revolutions for which the tracking should be performed. NAP is the number of variations for the horizontal starting amplitude ASTART at the observation and starting point. The amplitude is varied by halving the range between maximum stable and minimum unstable amplitude. AMP is the initial "stable amplitude" for the variation procedure. Usually its value will be selected to be zero.

If the input value of AMP is negative, an alternative amplitude decrementation procedure will be initiated. The starting amplitude will then be constantly reduced by AMP. The number of steps is given by NAP. DP+ and DP- define the energy range for which the tracking should be performed. IPM is the number of energy points for which the calculation will be performed including the minimum energy DP- und the maximum energy DP+. Default value of the starting point is the initial point given by the structure as defined in data block "STRUCTURE INPUT".

By introducing the string "GO" somewhere in the structure input, this point will be taken as new observation and starting point.

SPEED-mode: Constant amplitude decrementation with negative AMP is not allowed.

3.15 LIMITATION OF APERTURE

Input example:

```
-----1-----2-----3-----4-----5-----6-----7-----
LIMITATION OF APERTURE-----
SPH RE    28.    28.
SPV RE    28.    28.
APT EL    40.    20.
NEXT-----
```

Each type of thin element insertion defined in the "SINGLE ELEMENTS" block may be used as a point of aperture limitation.

Input data:

NAME, LIMIT-TYPE, AP-H [mm], AP-V [mm]

-
-
-
-

(maximum = 20 elements)

Format (A4, 2x, A2, 2x, 2 F10)

The first string is the name of the element also used for aperture control. LIMIT-TYPE defines the type of aperture limitation.

The string "RE" defines a rectangular aperture limitation corresponding to the inequalities

$$X_i < AP-H \wedge z_i < AP-V$$

and "EL" defines an elliptical aperture limitation corresponding to

$$\frac{X_i^2}{(AP-H)^2} + \frac{z_i^2}{(AP-V)^2} < 1$$

AP-H and AP-V are the horizontal and vertical half apertures respectively.

The actual shape of the vacuum chamber can be introduced in this way.

SPEED-mode: Only normal sextupoles can be used for aperture limitations in rectangular form.

3.16 SYNCHROTRON OSCILLATIONS

Input example:

```
-----+-----1-----+-----2-----+-----3-----+-----4-----+-----5-----+-----6-----+-----7-----  
SYNCHROTRON OSCILLATIONS-----  
3840.    0.0028    100.    15000.    25.    0.  
NEXT-----
```

The variation of energy according to the synchrotron motion will be activated by introducing this data block in the input stream.

Data input:

HARM, MOM. COMP, UO [MV], EO [MeV], PSIO [degree], FIO [degree]

Format (10x, 6F10)

with the meaning:

HARM	harmonic number
MOM. COMP	momentum compaction
UO	accelerating voltage
EO	equilibrium energy
PSIO	synchronous phase
FIO	starting phase of synchrotron oscillation

The energy variation is performed at each cavity position according to equations (16) and (17). The initial relative energy deviation is given by DP+ in the data block "TRACKING PARAMETERS".

Default value of the cavity position is the starting point. If more than one cavity is wanted, the string "CAV" must be introduced at the desired position in the "BLOCK STRUCTURE" input. So far only a supersymmetric arrangement is allowed.

After each energy variation the energy dependent single element matrices are recalculated and the composition into blocks repeated. If too many cavity positions are introduced, the advantage of speed increase due to the block structure may be lost.

SPEED-mode: Does not contain synchrotron oscillations. Only constant energy tracking may be performed.

4. References

/1/ HERA Proposal, ECFA 80/42 and DESY HERA 80/01, March 1980

/2/ A. Wrulich, "Aperture Limitations in the HERA Proton Ring due to Nonlinear Fields", DESY HERA 82/04, April 1982

/3/ A. Wrulich, "Tracking Studies in HERA", DESY HERA 82/07, June 1982

APPENDIX I MULTIPOLE EXPANSION

DEFLECTION: X = B(N)*R(N)-A(N)*I(N)
 Z = B(N)*I(N)+A(N)*R(N)

...DEFLECTION OF NORMAL BENDING MAGNET

B(N)...NORMAL MULTIPOLE COEFFICIENT

A(N)...SKEW MULTIPOLE COEFFICIENT

DIPOLE --> R1 = 1
 I1 = 0

QUADRUPOLE --> R2 = X
 I2 = Z

SEXTUPOLE --> R3 = X²- Z²
 I3 = 2ZX

OCTUPOLE --> R4 = X³-3ZX²
 I4 = 3ZX²-Z³

DECAPOLE --> R5 = X⁴-6Z²X²+Z⁴
 I5 = 4ZX³-4Z³X

DODECAPOLE --> R6 = X⁵-10Z²X³+5Z⁴X
 I6 = 5ZX⁴-10Z³X²+Z⁵

14-POLE --> R7 = X⁶-15Z²X⁴+15Z⁴X²-Z⁶
 I7 = 6ZX⁵-20Z³X³+6Z⁵X

16-POLE --> R8 = X⁷-21Z²X⁵+35Z⁴X³-7Z⁶X
 I8 = 7ZX⁶-35Z³X⁴+21Z⁵X²-Z⁷

18-POLE --> R9 = X⁸-28Z²X⁶+70Z⁴X⁴-28Z⁶X²+Z⁸
 I9 = 8ZX⁷-56Z³X⁵+56Z⁵X³-8Z⁷X

20-POLE --> R10 = X⁹-36Z²X⁷+126Z⁴X⁵-84Z⁶X³+9Z⁸X
 I10 = 9ZX⁸-84Z³X⁶+126Z⁵X⁴-36Z⁷X²

COMBINED ELEMENT (LABEL = 11) WITH MULTIPOLES FROM DIPOLES UP
TO 20-POLES --> $B(N)*R(N) =$

$$\begin{aligned} & B_1 + X(B_2 + X(B_3 + X(B_4 + X(B_5 + X(B_6 + X(B_7 + X(B_8 + X(B_9 + X(B_{10})))))))))) \\ & -Z^2[B_3 + X(3B_4 + X(6B_5 + X(10B_6 + X(15B_7 + X(21B_8 + X(28B_9 + X(36B_{10}))))))] \\ & +Z^4[B_5 + X(5B_6 + X(15B_7 + X(35B_8 + X(70B_9 + X(126B_{10}))))] \\ & -Z^6[B_7 + X(7B_8 + X(28B_9 + X(84B_{10}))] \\ & +Z^8[B_9 + X(9B_{10})] \end{aligned}$$

$$A(N)*I(N) =$$

$$\begin{aligned} & +Z[A_2 + X(2A_3 + X(3A_4 + X(4A_5 + X(5A_6 + X(6A_7 + X(7A_8 + X(8A_9 + X(9A_{10}))))))] \\ & -Z^3[A_4 + X(4A_5 + X(10A_6 + X(20A_7 + X(35A_8 + X(56A_9 + X(84A_{10}))))] \\ & +Z^5[A_6 + X(6A_7 + X(21A_8 + X(56A_9 + X(126A_{10})))] \\ & -Z^7[A_8 + X(8A_9 + X(36A_{10}))] \\ & +Z^9[A_{10}] \end{aligned}$$

APPENDIX II RACETRACK - INPUT EXAMPLE

```

-----1-----2-----3-----4-----5-----6-----7-----
SPEED 'HERA ELECTRON OPTICS 60 DEG CELL PHASE ADVANCE'
SINGLE ELEMENTS-----
QU1 2 .0347128 5.0
QH1 2 -.03417102 3.6
QF 2 -.11454313 0.76
QD 2 .11421771 0.76
QF2 2 -.11454313 0.38
QD2 2 .11421771 0.38
B 1 .00155560 9.709
L 0 0.65
Q2D 2 .086492384 0.38
Q1F 2 -.026962391 0.76
ROQ6 2 -.085059812 1.0
ROQ5 2 .1234139 1.0
ROQ4 2 -.057783393 1.0
ROQ3 2 .054818607 1.0
ROQ2 2 -.13974582 1.0
ROQ1 2 .10756499 1.0
HQ12 2 .000988913 1.0
HQ11 2 1.00 -.084952623 1.0
HFQ2 2 1.00 .14771194 1.0
HFQ1 2 1.00 .015175759 1.0
HFQF 2 1.00 -.15737296 1.0
HFQD 2 1.00 .16362770 1.0
IPQ2 2 1.00 -.060778143 1.0
IPQ1 2 1.00 .10050153 1.0
B1 1 6.473 .0015556 6.473
ROVD 4 4.664 -.00233247 4.664
ROU 4 4.664 .00233247 4.664
ROH3 1 10.785 -.00161456 10.785
ROH2 1 10.785 .00233247 10.785
ROH1 1 5.315 .00233247 5.315
D1 0 2.06
D2 0 4.177
D3 0 4.180
D4 0 0.30
D5 0 4.20
D6 0 13.1
D7 0 5.00
D8 0 6.0
D9 0 22.89
D10 0 7.5
SPH 3
SPU 3
APT 1
MPM 9
NEXT
BLOCK DEFINITIONS-----
 4 1 1 1 1
IR D10 IPQ1 IPQ1 D8 IPQ2 IPQ2 D9 HFQ1 D7 D8
HF HFQ2 D7 HFQF D7 HFQD D7 HFQF D7 HFQD D7 HFQD D7
HFQF D7 HFQD D7 HFQF D7 HFQD D7 HFQD D7 HFQF D7
HF1 D7 HQ11 D7 HFQD D7 HFQF D7 HFQD D7 HFQF D7 HFQF
D7 HFQD D7 HFQF D7 HFQD D7 HFQF D7 HFQ2
IRI D8 D7 HFQ1 D9 IPQ2 IPQ2 D8 IPQ1 IPQ1 D10
ROH HQ12 D6 ROQ1 D5 ROQ2 D5 ROQ3 D4 ROH1
ROHI ROH1 D4 ROQ3 D5 ROQ2 D5 ROQ1 D6 HQ12
ROV ROVD ROH2 ROUJ ROUJ ROH3 ROVD D4 ROQ4 D3 ROQS
D2 ROQ6
ROVI ROQ6 D2 ROQS D3 ROQ4 D4 ROUJ ROH3 ROVD ROVD
ROH2 ROUJ
BL4 L B1 D1 B L Q1F
BL4I Q1F L B D1 B1 L
BLS L B L Q2D
BLSI Q2D L B L
BL6 Q2D L B L QF2
BL6I QF2 L B L Q2D
HCF QF2 L B L QD2
HCD QD2 L B L QF2
NEXT

```

```

STRUCTURE INPUT-----
      IR  HF  ROH  ROU  BL4  BL5  SPV  BL6  SPH
47*[ HCF  MPM  SPV  HCD  MPM  SPH
  ]
      BL6I  BLSI  BL4I  ROVI  ROHI  HFI  IRI
NEXT
PRINTOUT SELECTION-----
NEXT
LINEAR OPTICS CALCULATION-----
ELEMENT          13
NEXT
TUNE VARIATION-----
QF          0.15
QD          0.179
NEXT
CHROMATICITY CORRECTION-----
SPH          1.5
SPV          1.5
NEXT
INITIAL COORDINATES-----
      4  15.          90.0      0.5
      4   0.          30.0
NEXT
TRACKING PARAMETERS-----
      100
      20 25.0      10.0
      5 -0.01      0.01
NEXT
ORBIT ADJUSTMENT-----
      1.5      1.5
MON=SPH
MON=SPV
NEXT
MULTIPOLE COEFFICIENTS-----
      25.0      10.06921
      0.          0.0001544  0.          0.0000635
      0.          0.0000833  0.          0.0000833
      0.0030      0.000300  0.          0.00007
      0.          0.00007  0.          0.00007
      0.          0.00007  0.          0.00007
      0.          0.00007  0.          0.00007
      -0.00029      0.00007  0.          0.00007
      0.          0.00007  0.          0.00007
      -0.00048      0.00007  0.          0.00007
      0.          0.00007  0.          0.00007
NEXT
RANDOM FLUCTUATION STARTING NUMBER-----
      00000000000011822903
NEXT
LIMITATION OF APERTURE-----
SPH RE      28.          28.
SPV RE      28.          28.
APT EL      40.          20.
NEXT
COMBINATION OF ELEMENTS-----
QF          - 0.5      QF1
QD          1.234      QD1  -0.233      QD2
SPH          0.8      SPHA
SPV          -0.75     SPVA
NEXT
INITIAL COORDINATES-----
TRAJ          10.6      1.0      5.3      0.0
          -15.0      1.0      6.7      -0.7
          4.0      2.0      3.5      1.8
NEXT
INITIAL COORDINATES-----
SET          0.0      0.0      3.0      0.0
          0.0      0.0      0.15     0.0
NEXT

```

APPENDIX III RACETRACK - OUTPUT EXAMPLE

000000000000000000000000
 0
 0 R A C E T R A C K 0
 0
 000000000000000000000000

*** RING PARAMETERS ***

SINGLE ELEMENTS:

I NO	I NAME	I TYP	I 1/RHO	I STRENGTH	I LENGTH	I X-POS	I X-RMS	I Z-POS	I Z-RMS
1	GF	2	0.0	-0.114543130	0.760	0.0	0.0	0.0	0.0
2	GD	2	0.0	0.114217710	0.760	0.0	0.0	0.0	0.0
3	GF2	2	0.0	-0.114543130	0.380	0.0	0.0	0.0	0.0
4	GD2	2	0.0	0.114217710	0.380	0.0	0.0	0.0	0.0
5	IB	1	0.001555600	0.0	9.709	0.0	0.0	0.0	0.0
6	L	0	0.0	0.0	0.650	0.0	0.0	0.0	0.0
7	GD	2	0.0	0.086492384	0.380	0.0	0.0	0.0	0.0
8	GF	2	0.0	-0.026962391	0.760	0.0	0.0	0.0	0.0
9	ROG6	2	0.0	-0.085059812	1.000	0.0	0.0	0.0	0.0
10	ROG5	2	0.0	0.123413900	1.000	0.0	0.0	0.0	0.0
11	ROG4	2	0.0	-0.057783393	1.000	0.0	0.0	0.0	0.0
12	ROG3	2	0.0	0.054818607	1.000	0.0	0.0	0.0	0.0
13	ROG2	2	0.0	-0.139745820	1.000	0.0	0.0	0.0	0.0
14	ROG1	2	0.0	0.107564990	1.000	0.0	0.0	0.0	0.0
15	HG12	2	0.0	0.00988913	1.000	0.0	0.0	0.0	0.0
16	HG11	2	0.0	-0.084952623	1.000	0.0	0.0	0.0	0.0
17	HFG2	2	0.0	0.147711940	1.000	0.0	0.0	0.0	0.0
18	HFG1	2	0.0	-0.015175759	1.000	0.0	0.0	0.0	0.0
19	HFGF	2	0.0	-0.157372960	1.000	0.0	0.0	0.0	0.0
20	HFGD	2	0.0	0.163627700	1.000	0.0	0.0	0.0	0.0
21	IPG2	2	0.0	-0.060778143	1.000	0.0	0.0	0.0	0.0
22	IPG1	2	0.0	0.100501530	1.000	0.0	0.0	0.0	0.0
23	B1	1	0.001555600	0.0	6.473	0.0	0.0	0.0	0.0
24	ROVD	4	0.0	-0.002332470	4.664	0.0	0.0	0.0	0.0
25	ROVU	4	0.0	0.002332470	4.664	0.0	0.0	0.0	0.0
26	ROH3	1	-0.001614560	0.0	10.785	0.0	0.0	0.0	0.0
27	ROH2	1	0.002332470	0.0	10.785	0.0	0.0	0.0	0.0
28	ROH1	1	0.002332470	0.0	5.315	0.0	0.0	0.0	0.0
29	D1	0	0.0	0.0	2.060	0.0	0.0	0.0	0.0
30	D2	0	0.0	0.0	4.177	0.0	0.0	0.0	0.0
31	D3	0	0.0	0.0	4.180	0.0	0.0	0.0	0.0
32	D4	0	0.0	0.0	4.300	0.0	0.0	0.0	0.0
33	D5	0	0.0	0.0	4.200	0.0	0.0	0.0	0.0
34	D6	0	0.0	0.0	13.100	0.0	0.0	0.0	0.0
35	D7	0	0.0	0.0	5.000	0.0	0.0	0.0	0.0
36	D8	0	0.0	0.0	6.000	0.0	0.0	0.0	0.0
37	D9	0	0.0	0.0	22.890	0.0	0.0	0.0	0.0
38	D10	0	0.0	0.0	7.500	0.0	0.0	0.0	0.0
39	SPH	3	0.0	0.0	0.0	0.0	0.0	0.0	0.0
40	SPU	3	0.0	0.0	0.0	0.0	0.0	0.0	0.0
41	APT	1	0.0	0.0	0.0	0.0	0.0	0.0	0.0
42	MPM	1	0.0	0.0	0.0	0.0	0.0	0.0	0.0

181 HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 191 SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 201 MPM HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 211 HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 221 SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 231 MPM HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 241 HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 251 SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 261 MPM HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 271 HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 281 SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF HCD SPV MPM HCF
 291 MPM BL6I BLSI BL4I ROVI ROHI HFI IRI

---ENTRY LINDPT---
 ---ENTRY CLORB---/DPP= 0.00010 /CLOX/ -0.00007 0.00002 /CLOZ/ 0.00001 0.00003 /ITERAT.= 2/ ACCURACY= 0.26317954D-12
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0

PLANE DISPC(M) DISPC(MRAD)
 X 0.750 0.159
 Z 0.107 0.262

RELATIVE ENERGY DEVIATION 0.0
 FRACTIONAL TUNES -HORIZONTAL 0.1500198
 -VERTICAL 0.1799380

NR	TYP	L-TOTAL (M)	LENGTH (M)	BETAH (M)	ALFAH (M)	PHIH (DE)	DISH (M)	DISPH (RAD)	CLOH CLOPH (MM) (MRAD)	BETAU (M)	ALFAU (DE)	PHIU (DE)	DISU (M)	DISPU (RAD)	CLOU CLOPU (MM) (MRAD)
0										0.15	0.00	0.0	0.00	0.0000	0.0 0.0 0.0
1	D10	7.500	7.500	3.00	0.00	0.0	-0.00	0.0000	0.0 0.0 0.0	374.79	-49.95	0.0	0.00	0.0000	0.0 0.0 0.0
2	IPQ1	8.500	1.000	21.75	-2.50	0.19	0.00	0.0000	0.0 0.0 0.0	438.15	-11.27	0.25	0.00	0.0000	0.0 0.0 0.0
3	IPQ1	9.500	1.000	29.70	-5.71	0.20	0.00	0.0000	0.0 0.0 0.0	416.92	31.79	0.25	0.00	-0.0000	0.0 0.0 0.0
4	D8	15.500	6.000	46.16	-11.30	0.20	0.00	0.0000	0.0 0.0 0.0	122.81	17.23	0.25	0.00	-0.0000	0.0 0.0 0.0
5	IPQ2	16.500	1.000	282.08	-28.02	0.21	0.00	0.0000	0.0 0.0 0.0	97.02	9.07	0.25	0.00	-0.0000	0.0 0.0 0.0
6	IPQ2	17.500	1.000	321.94	-10.90	0.21	0.00	0.0000	0.0 0.0 0.0	85.02	3.17	0.26	0.00	-0.0000	0.0 0.0 0.0
7	D9	40.390	22.890	47.66	3.25	0.24	0.00	-0.0000	0.0 0.0 0.0	8.02	0.20	0.43	-0.00	-0.0000	0.0 0.0 0.0
8	HFQ1	41.390	1.000	42.06	2.38	0.24	0.00	-0.0000	0.0 0.0 0.0	7.63	0.18	0.45	-0.00	-0.0000	0.0 0.0 0.0
9	D7	46.390	5.000	22.25	1.59	0.27	0.00	-0.0000	0.0 0.0 0.0	9.17	-0.49	0.55	-0.00	-0.0000	0.0 0.0 0.0
10	D8	52.390	6.000	8.00	0.64	0.34	0.00	-0.0000	0.0 0.0 0.0	19.97	-1.31	0.62	-0.00	-0.0000	0.0 0.0 0.0
11	HFQ2	53.390	1.000	9.04	-0.79	0.36	0.00	0.0000	0.0 0.0 0.0	19.65	1.61	0.63	-0.00	0.0000	0.0 0.0 0.0
12	D7	58.390	5.000	21.38	-1.68	0.42	0.00	0.0000	0.0 0.0 0.0	8.14	0.70	0.69	-0.00	0.0000	0.0 0.0 0.0
13	HFQF	59.390	1.000	21.38	1.68	0.42	0.00	-0.0000	0.0 0.0 0.0	8.14	-0.70	0.71	-0.00	0.0000	0.0 0.0 0.0

000000000000000000000000
 0
 O R A C E T R A C K 0
 0
 000000000000000000000000

---ENTRY CLORB---/DPP= 0.00010 /CLOX/ 0.00007 0.00002 /CLOZ/ 0.00001 /ITERAT.= 4/ ACCURACY= 0.71538874D-10
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 ---ENTRY CLORB---/DPP= 0.00010 /CLOX/ -0.00007 0.00002 /CLOZ/ 0.00001 /ITERAT.= 4/ ACCURACY= 0.71538874D-10
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0

PLANE DISP(MM) DISP(MRAD) ORBIT-AVE ORBIT-RMS (FOR ZERO ENERGY DEVIATION)
 X -0.750 0.159 0.0 0.0
 Z 0.107 0.262 0.0 0.0

---MODIF ENTRY---
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 START-QX-QZ 0.1500198 0.1799380END -QX-QZ 0.1300000 0.2100000
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 ITER= 1/QUAD= 1/QX-QZ 0.1476848 0.1807368 /DPP= 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 ITER= 1/QUAD= 2/QX-QZ 0.1492425 0.1822344 /DPP= 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0

DATA BLOCK TUNE-VARIATION
 TUNE THEORET. AFTER CORRECTION
 HORIZONTAL 0.1300000 0.1299931
 VERTICAL 0.2100000 0.2099912

QUADRU. STRENGTHS -0.11454313 -0.11451929 INDEX 3
 0.11421771 0.11427487 INDEX 4
 TOTAL TUNE SHIFT QX = 0.0200198 QZ = 0.0300620
 QUADRUPOLE SENSITIVITIES QX/K1 QX/K2 QZ/K1 QZ/K2 -0.46599998D+03-0.15547170D+03 0.15976764D+03 0.45928531D+03

--- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00000 /CLOZ/ 0.00000 /ITERAT. = 2/ ACCURACY= 0.21029847D-06
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.21359337D-06
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.13426752D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.21471871D-06
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.13396655D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.21383028D-06
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.12708887D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.75758148D-07

DATA BLOCK CHROMATICITY CORRECTION
 CHROMATICITIES BEFORE AFTER CORRECTION
 HORIZONTAL -68.31586 0.42915
 VERTICAL -95.53581 0.07898

SEXTUP. STRENGTHS 0.0 -0.20849 INDEX 39
 0.0 0.40614 40

SEXTUPOLE SENSITIVITIES XI/M1 XI/M2 ZI/M1 ZI/M2 -0.54538254D+03-03-0.11175872D+03 0.18328430D+03 0.32931569D+03

--- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00000 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.15722018D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.75758148D-07
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.15697246D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.76884055D-07
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.15661468D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.75999169D-07
 --- ENTRY CLORB --- /DPP= 0.00002 /CLOX/ /CLOZ/ 0.00001 /CLOZ/ 0.00000 /ITERAT. = 3/ ACCURACY= 0.15688813D-09
 --- ENTRY CLORB --- /DPP= 0.0 /CLOX/ /CLOZ/ 0.0 /CLOZ/ 0.0 /ITERAT. = 2/ ACCURACY= 0.0
 --- ENTRY CLORB --- /DPP=-0.00002 /CLOX/ /CLOZ/ -0.00000 /CLOZ/ -0.00000 /ITERAT. = 2/ ACCURACY= 0.76636230D-07

DATA BLOCK CHROMATICITY CORRECTION
 CHROMATICITIES BEFORE AFTER CORRECTION
 HORIZONTAL 0.42915 -0.00149
 VERTICAL 0.07898 0.0

SEXTUP. STRENGTHS -0.20849 -0.20754 INDEX 39
 0.40614 0.40538 40

SEXTUPOLE SENSITIVITIES XI/M1 XI/M2 ZI/M1 ZI/M2 -0.54538254D+03-03-0.11175872D+03 0.18328430D+03 0.32931569D+03

DATA BLOCK MULTIPOLE COEFFICIENTS
RADIUS IN MM 1.0000000
BENDING STRENGTH IN MRAD 1.0000000

NORMAL

MEAN	RMS-VALUE	MEAN	RMS-VALUE	SKIEW
1 0.0	0.10000000D-03	0.0	0.10000000D-03	

DATA BLOCK FLUCTUATIONS OF MULTIPOLES
RANDOM STARTING NUMBER= 9834965

```

---ENTRY CLORB---/DPP= 0.00010 /CLOX/ -0.00445 0.01065 /CLOZ/ -0.00292 -0.01127 /ITERAT.= 3/ ACCURACY= 0.10267455D-13
---ENTRY CLORB---/DPP= 0.0 /CLOX/ -0.00406 0.01026 /CLOZ/ -0.00282 -0.01097 /ITERAT.= 3/ ACCURACY= 0.12363080D-13
---CHANGE OF HORIZONTAL DIPOLSTRENGTH ACCORDING TO REQUEST/ DIP-AV = 0.0 / DIP-RAND = 0.42066791D-02
---CHANGE OF VERTICAL DIPOLSTRENGTH ACCORDING TO REQUEST/ DIP-AV = 0.0 / DIP-RAND = 0.11201292D-01
---ENTRY CLORB---/DPP= 0.00010 /CLOX/ -0.18482 0.44811 /CLOZ/ -0.32721 -1.26514 /ITERAT.= 3/ ACCURACY= 0.37996013D-12
---ENTRY CLORB---/DPP= 0.0 /CLOX/ -0.17072 0.43154 /CLOZ/ -0.31641 -1.22882 /ITERAT.= 3/ ACCURACY= 0.52779846D-12

```

PLANE DISPC(M) DISPC(MRAD) ORBIT-AVE ORBIT-RMS (FOR ZERO ENERGY DEVIATION)

	DISPC(M)	DISPC(MRAD)	ORBIT-AVE	ORBIT-RMS
X	-140.979	165.777	-0.001	2.500
Z	-108.004	-363.199	-0.015	2.500

```

D10, D1P0/-140.97857-108.00397 165.77722-363.19900/AVR/ 1.00000 1.00000 1.00000 1.00000 1.00000 1.00000
---ENTRY CLORB---/DPP= 0.0 /CLOX/ -0.17072 0.43154 /CLOZ/ -0.31641 -1.22882 /ITERAT.= 3/ ACCURACY= 0.52779846D-12
TRACKING FOR CONSTANT ENERGY DEVIATION

```

TUNE	CLO	CLOP	BET0	ALF0
X	0.1499996	0.1707210	2.9975159	-0.0000000
Z	0.1800018	-0.3164103	0.1500939	0.0000000

REL. ENERGY DEVIATION= 0.0

---ENTRY ANFB---/ITRA/ 16/AMP/ 30.000 2.123/ITR, CH10, CHID/ 4 15.0 90.0/14, PS10, PSID/ 1 0.0 30.0

AMPLITUDE-X =	AMPLITUDE-Z =
30.000	2.123 MM
300.249	30.025 PI*MRAD*MM

+++LAST STABLE REVOLUTION = 1 +++

*** TRACKING PARAMETERS ***

NUMBER OF REVOLUTIONS 3
 APERTURE LIMIT HORIZONTAL 500.000 (MM)
 APERTURE LIMIT VERTICAL 500.000 (MM)
 TRACKING START AT ELEMENT NO. 14
 INITIAL AMPLITUDE-H IN (MM) 30.000
 COUPLING EPS-Z/EPS-X 0.100
 NUMBER OF PARTICLES 16

000000000000000000000000
 0
 O R A C E T R A C K O
 0
 000000000000000000000000

PLANE DISP(MM) DISP(MRAD) ORBIT-AVE ORBIT-RMS (FOR ZERO ENERGY DEVIATION)
 X -0.750 0.159 0.0 0.0
 Z 0.107 0.262 0.0 0.0
 DI0,DIPO/ -0.74996 0.10664 0.15893 0.26188/VAR/ 1.00000 1.00000 1.00000 1.00000
 ---ENTRY CLORB---/DPP= 0.0 /CLOX/ 0.0 /CLOZ/ 0.0 /ITERAT.= 2/ ACCURACY= 0.0
 TRACKING FOR CONSTANT ENERGY DEVIATION

TUNE CLO CLOP BET0 ALF0
 X 0.1500198 0.0 0.0 2.9979498 0.0004461
 Z 0.1799380 0.0 0.0 0.1501238 0.0009684

REL. ENERGY DEVIATION= 0.0

---ENTRY ANFB---/ITRA/ 16/AMP/ 30.000 2.123/ITR,CHIO,CHID/ 4 15.0 90.0/14,PSIO,PSID/ 1 0.0 30.0

AMPLITUDE-X = 30.000 AMPLITUDE-Z = 2.123 MM
 EMITTANCE-X = 300.205 EMITTANCE-Z = 30.021 PI*MRAD*MM

***** TRACKING ENDED ABNORMALLY *****
 PARTICLE NO. 1 LOST IN REVOLUTION 1 AT ELEMENT 7
 HORIZ: AMPLITUDE = -30.97'S APERTURE = 40.000
 VERT: AMPLITUDE = 32.999 APERTURE = 20.000
 ELEMENT - LIST NUMBER 40 TYP NUMBER 3 NAME SPU

---ENTRY ANFB---/ITRA/ 16/AMP/ 15.000 1.061/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 15.000 AMPLITUDE-Z = 1.061 MM
EMITTANCE-X = 75.051 EMITTANCE-Z = 7.505 PI*MRAD*MM

***** TRACKING ENDED ABNORMALLY *****
PARTICLE NO. 5 LOST IN REVOLUTION 9
HORIZ: AMPLITUDE = 55.162 APERTURE = 40.000
VERT: AMPLITUDE = 9.959 APERTURE = 20.000
ELEMENT - LIST NUMBER 39 TYP NUMBER 3 NAME SPH

---ENTRY ANFB---/ITRA/ 16/AMP/ 7.500 0.531/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 7.500 AMPLITUDE-Z = 0.531 MM
EMITTANCE-X = 18.763 EMITTANCE-Z = 1.876 PI*MRAD*MM

ZEIT 00 H 00 MIN 00.56 SEC

***** ALL PARTICLES STABLE *****

---ENTRY ANFB---/ITRA/ 16/AMP/ 11.250 0.796/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 11.250 AMPLITUDE-Z = 0.796 MM
EMITTANCE-X = 42.216 EMITTANCE-Z = 4.222 PI*MRAD*MM

***** TRACKING ENDED ABNORMALLY *****
PARTICLE NO. 5 LOST IN REVOLUTION 9
HORIZ: AMPLITUDE = 41.371 APERTURE = 40.000
VERT: AMPLITUDE = 7.469 APERTURE = 20.000
ELEMENT - LIST NUMBER 39 TYP NUMBER 3 NAME SPH

---ENTRY ANFB---/ITRA/ 16/AMP/ 9.375 0.663/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 9.375 AMPLITUDE-Z = 0.663 MM
EMITTANCE-X = 29.317 EMITTANCE-Z = 2.932 PI*MRAD*MM

ZEIT 00 H 00 MIN 00.57 SEC

***** ALL PARTICLES STABLE *****

---ENTRY ANFB---/ITRA/ 16/AMP/ 10.313 0.730/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 10.313 AMPLITUDE-Z = 0.730 MM
EMITTANCE-X = 35.473 EMITTANCE-Z = 3.547 PI*MRAD*MM

ZEIT 00 H 00 MIN 00.57 SEC

***** ALL PARTICLES STABLE *****

---ENTRY ANFB---/ITRA/ 16/AMP/ 10.781 0.763/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 10.781 AMPLITUDE-Z = 0.763 MM
EMITTANCE-X = 38.772 EMITTANCE-Z = 3.877 PI*MRAD*MM

ZEIT 00 H 00 MIN 00.56 SEC

***** ALL PARTICLES STABLE *****

---ENTRY ANFB---/ITRA/ 16/AMP/ 11.016 0.780/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 11.016 AMPLITUDE-Z = 0.780 MM
EMITTANCE-X = 40.476 EMITTANCE-Z = 4.048 PI*MRAD*MM

***** TRACKING ENDED ABNORMALLY *****
PARTICLE NO. 5 LOST IN REVOLUTION 1 AT ELEMENT 9
HORIZ: AMPLITUDE = 40.000 APERTURE = 20.000
VERT: AMPLITUDE = 7.313 APERTURE = 20.000
ELEMENT - LIST NUMBER 39 TYP NUMBER 3 NAME SPH

---ENTRY ANFB---/ITRA/ 16/AMP/ 10.898 0.771/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 10.898 AMPLITUDE-Z = 0.771 MM
EMITTANCE-X = 39.619 EMITTANCE-Z = 3.962 PI*MRAD*MM

***** TRACKING ENDED ABNORMALLY *****
PARTICLE NO. 5 LOST IN REVOLUTION 1 AT ELEMENT 9
HORIZ: AMPLITUDE = 40.078 APERTURE = 20.000
VERT: AMPLITUDE = 7.236 APERTURE = 20.000
ELEMENT - LIST NUMBER 39 TYP NUMBER 3 NAME SPH

---ENTRY ANFB---/ITRA/ 16/AMP/ 10.840 0.767/ITR, CHIO, CHID/ 4 15.0 90.0/14, PSIO, PSID/ 1 0.0 30.0
AMPLITUDE-X = 10.840 AMPLITUDE-Z = 0.767 MM
EMITTANCE-X = 39.194 EMITTANCE-Z = 3.919 PI*MRAD*MM

ZEIT 00 H 00 MIN 00.57 SEC

***** ALL PARTICLES STABLE *****



DATA BLOCK MULTIPOLE COEFFICIENTS
RADIUS IN MM 25.000000
BENDING STRENGTH IN MRAD 10.0692100

NORMAL		SKEN	
MEAN	RMS-VALUE	MEAN	RMS-VALUE
1 0.0	0.15440000D-03	0.0	0.24420000D-03
2 0.0	0.83300000D-04	0.0	0.83300000D-04
3 0.60000000D-02	0.30000000D-03	0.0	0.70000000D-04
4 0.0	0.70000000D-04	0.0	0.70000000D-04
5 0.0	0.70000000D-04	0.0	0.70000000D-04
6 0.0	0.70000000D-04	0.0	0.70000000D-04
7 -0.29000000D-03	0.70000000D-04	0.0	0.70000000D-04
8 0.0	0.70000000D-04	0.0	0.70000000D-04
9 -0.48000000D-03	0.70000000D-04	0.0	0.70000000D-04
10 0.0	0.70000000D-04	0.0	0.70000000D-04

DATA BLOCK FLUCTUATIONS OF MULTIPOLES 9834965
RANDOM STARTING NUMBER=