

# Structural and electronic properties of two-dimensional hydrogenated Xenes

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## Abstract

Structural and electronic properties of pristine two-dimensional group IV Xenes ( $X = \text{C}, \text{Si}, \text{Ge}, \text{Sn}, \text{Pb}$ ) and hydrogenated Xenes are studied, using density functional theory (DFT) calculations with and without spin-orbit coupling (SOC). The pristine hexagonal monolayer Xenes show buckled structure upon relaxation except graphene. The buckling  $\delta$  increases linearly from graphene to plumbene. The band structures without SOC of group-IV Xenes are semi-metallic. However, inclusion of SOC mainly opens the bandgap at the Dirac point. Semi hydrogenation leads to enhanced buckling in all Xenes which indicate a tendency towards more  $sp^3$  like structures. The electronic structures of semi hydrogenated Xenes do not show Dirac cones. Spin polarized band structures show magnetism with magnetic moment of  $1.0 \mu_B$  and all SH Xenes are magnetic semiconductor except SH plumbene. Full hydrogenation vanishes buckling upon relaxation and the structure becomes planar implying  $sp^2$ -like hybridization. The band structures for fully hydrogenated Xenes turns out to be semiconducting and the Dirac cones also disappear. The bandgap changes from indirect to direct at FH stanene, while FH plumbene turns out to be semi-metallic. SOC gives rise to bandgap of 0.47 eV in FH plumbene, which is otherwise a semi-metal.

Keywords: two dimensional, electronic structures, density functional theory

 Supplementary material for this article is available [online](#)

(Some figures may appear in colour only in the online journal)

## 1. Introduction

When it comes to two-dimensional (2D) materials, the likelihood of exploiting their fascinating properties has become an archetype in the quantum world. Dating back to 2004, it is graphene—a honeycomb planar structure of carbon atoms, which is considered a breakthrough in the field of basic science and silicon based electronics as well [1]. Due to free-standing existence of graphene, it is favourably distinguished from its bulk counterpart, graphite. This involves magnificently enhanced electronic properties, specifically the huge carrier mobilities ( $\sim 10^6 \text{ m s}^{-1}$ ) and strong C–C bonds, which are caused by the electrons bound along the plane behaving as massless Dirac fermions [2]. Nonetheless, these properties sometimes prove to be superfluous for many electron-device applications because of semi-metallic nature of graphene which lacks a bandgap. The characteristically large on-off

ratio is always desired in most of the digital devices. The gapless graphene fares poorly on these counts and hence, it is precluded to become a prospective candidate for future generation of nano-electronics. However, the discovery of graphene has evoked an extensive research among scientists to pursue the multi-purpose properties of different 2D materials for electronics, sensors, optoelectronics and catalysis energy storage applications [3, 4]. In an attempt to resolve the bandgap issue of graphene, researchers have been using different techniques, for instance, the chemical functionalization [5–7], applying electric fields [8, 9], strain [10], effect of spin-orbit coupling (SOC) [11], etc. On the other hand, the pursuit for the graphene-like materials has also resulted in a variety of materials ranging from hexagonal boron nitride (hBN), metal monochalcogenides or MMCs (InSe, GaS), transition metal dichalcogenides or TMDCs ( $\text{MoS}_2$ ,  $\text{MoO}_3$ ,  $\text{MoSe}_2$ ,  $\text{WS}_2$ ,  $\text{WSe}_2$ ) to other elemental monolayers [12–21].

Just like graphene, hBN is also a planar hexagonal structure with a large bandgap of 5.9 eV, thus, works well as a substrate [12, 13]. Both MMCs and TMDCs are layered structures (held by van der Waals forces) consisting of four and three layers, respectively; each carrying atoms from metals (group III) and chalcogens (group IV and V). So far, many MMCs have been fabricated yet, for instance, InSe and GaS having bandgaps 0.45 eV and 3.4 eV, respectively [22, 23]. Similarly, monolayer of MoS<sub>2</sub> (a typical TMDC) has been reported to show an excellent on-off ratio more than 10<sup>8</sup> to be used as a field-effect transistor (FET) [24, 25]. Additionally, it carries a direct bandgap of 1.8 eV besides a notable carrier mobility. MoS<sub>2</sub> has earned a lot of fame because of its applications in optoelectronics [25], valleytronics [26] and spintronics [27–29]. Despite of tremendously advanced knowledge in the 2D realm, the materials yet speculated or fabricated can not outperform graphene in its transport properties. This can be understood as varied density of states (DOS) and so called 2D nature of these materials at atomic level, as compared to configuration of graphene.

In the recent years, the monolayers (silicene [30], germanene [31], stanene [32, 33], plumbene [34–36]) from group IV elements other than graphene have been hypothesized and chronicled to the elemental 2D literature. For the sake of easiness in frequent use, let us call them Xenex, where X = C, Si, Ge, Sn, Pb. The theoretical studies (including *ab initio* calculations) suggest that these four Xenex possess similar electronic properties as that of graphene, i.e. the presence of Dirac cone. To obtain their monolayer from their bulk phases is not an easy task. In fact, their bulk counterparts do not prefer forming layered structure held by weak van der Waals forces, such as in the case of graphene. Therefore, experimentalists are still unable to achieve their freestanding monolayers, rather they have synthesized these structures as adlayers over the substrates. In the past decade, silicene, germanene, stanene, and plumbene have been epitaxially grown over silver, gold, bismuth telluride, and palladium substrates, respectively [37–40]. Moreover, all the Xenex except graphene are not exactly planar; their structure prefers a little out of plane geometry, which is called buckled structure. The reason of buckling among 2D Xenex is inherited from their corresponding parent 3D structures, which usually prefer *sp*<sup>3</sup> hybridization of atoms. In fact, the buckling is a mixture of *sp*<sup>2</sup> and *sp*<sup>3</sup> hybridized orbitals. It has been theoretically confirmed that two types of buckling, low-buckled and high-buckled, exist among many hexagonal Xenex. For instance, silicene, germanene are energetically more stable in low-buckled phase, while stanene and plumbene prefer high-buckled phase to become more stable—just like closely packed metallic bonds [41–43]. In short, increase in atomic numbers tends the monolayers to be more stable in high-buckled form. The change in buckling height imparts drastic changes on the electronic properties displayed in the band structures.

Spin-orbit coupling has pivotal importance for many phenomena involving spin physics, e.g. spin transport, spin relaxation, quantum spin Hall effect, topological insulators, etc. At atomic level, electron's own spin couples to the magnetic

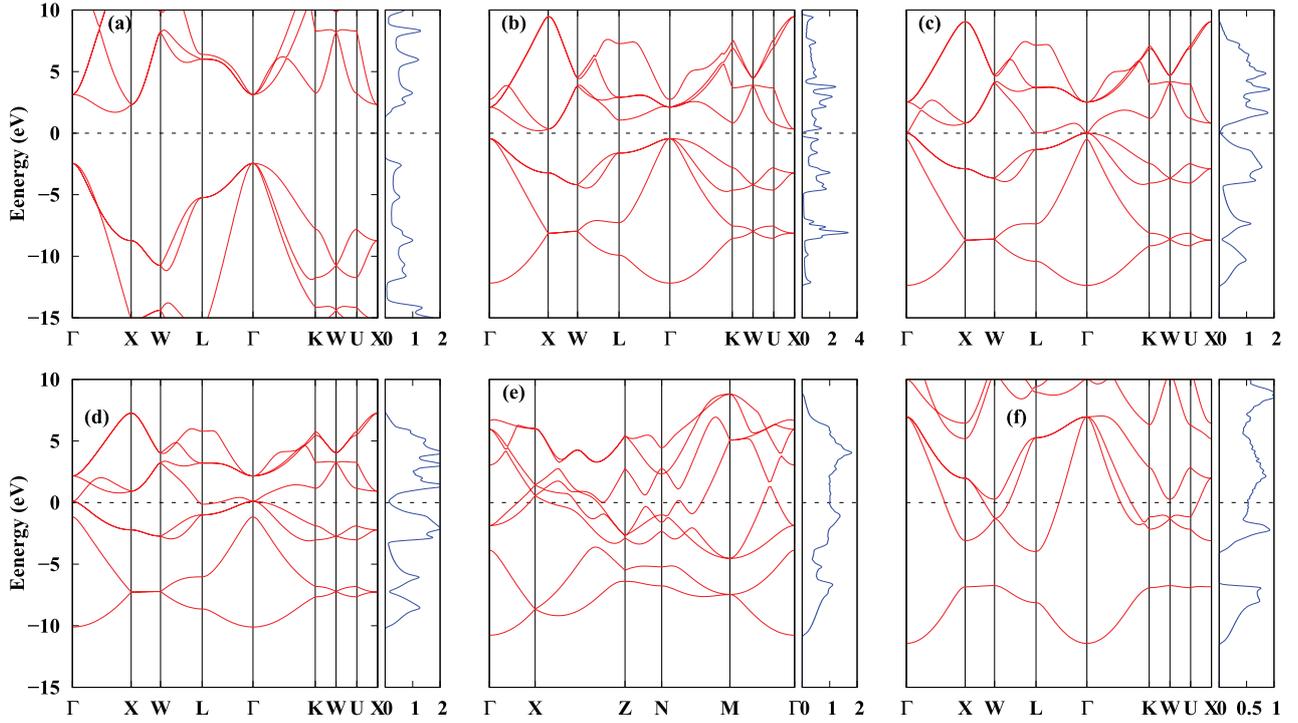
moment arising from the orbital motion of nucleus in electron's frame. In light elements, the strength of SOC is minute such as in graphene [44]. However, in other group IV Xenex, SOC is responsible to open a bandgap [45–48, 50, 51].

Regardless of hardships in their growth, these group IV monolayers earn some advantages over graphene, some of which are following: (1) a strong SOC, which makes it easy to realize the quantum spin Hall effect, (2) tunability of bandgap which is crucial for FET operation, (3) chemically active surfaces which allow bonds with adatoms, and so on. The exceptional findings from experimental analyses and theoretical studies continue to motivate the exploration of other elemental 2D materials, provided their compatibility with the traditional Si based electronics. As an example from group V monolayers, black phosphorene has been successfully fabricated which can exist as a freestanding nanosheet, just like graphene [53]. It is a marvellous semiconductor, holds a superior mechanical flexibility, and its monolayer has a bandgap of 1.88 eV; all of which enable its use as a transistor, as an inverter in optoelectronic devices [53] and in flexible circuits [54].

As has been discussed earlier, chemical functionalization is a proficient tool in engineering the desired properties, specially electronic properties. One of its underlying methods involves surface adsorption by any suitable atom or molecule. Till now, a lot of adatoms have been investigated, most important of which are hydrogen, transition metals and alkali earth metals, halogens, etc. Perhaps the hydrogen adsorption is considered the most common and simplest way of structural modification. Semi-hydrogenated (SH) and fully-hydrogenated (FH) Xenex are the two important conformations of hydrogenating the monolayer Xenex. With these structures, numerous configurations have been tried by the theoreticians including chair, boat, flat and washboard [55–57]. Sluiter and Kawazoe [58] theorized that a chair-like FH graphene could exist due to its dynamic stability, which was later synthesized [59]. Similarly, flat FH silicene was obtained experimentally which also acted as controllable hydrogen storage [60]. On the other hand, theoretical investigations on SH Xenex predict metallic states due to induced ferromagnetism, possibly resulting due to unpaired *p<sub>z</sub>* electron upon semi hydrogenation [61–63]. In 2013, Gmitra and Kochan [64] investigated SOC in SH graphene in two limits: dilute (single H atom in a large supercell) and dense (one H per unit cell). They proposed a model in which band splitting was caused due to local pseudospin inversion symmetry breaking and spin flip. This portrays the novelty of hydrogenation that how H adatom can overturn the physical and electronic structure of otherwise planar and gapless graphene, taking into account the combined effects of SOC, local electric dipoles and symmetry breaking. Likewise, the studies on FH Xenex reveal that that buckling height increases in chair-like FH Xenex which results in *sp*<sup>3</sup> hybridization. The H adatom removes the *p<sub>z</sub>* states from the Fermi level which results in a wide bandgap opening [59, 65–67]. However, in flat FH Xenex buckling vanishes, causing the flat scaffolding, which ends up in increased lattice constant [68, 69]. Furthermore, the band structure of FH Xenex do not show any spin polarized states because of unavailability of unpaired electrons.

**Table 1.** Optimized lattice constant  $a$  (in Å), bond length  $l$  (in Å), bandgap  $E_g$  (in eV) and cohesive energy  $E_c$  (in eV/atom) for the group-IV bulk structures. The values inside brackets represent the previous literature data.

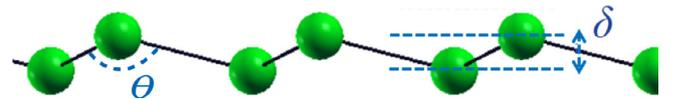
Material	Structure	$a$	$l$	$E_g$	$E_c$	Category
C	Diamond	3.57(3.57 [76])	1.55	4.15(4.11 [76])	-7.78(-7.78 [77])	Semi-conductor
Si	Diamond	5.47(5.47 [48])	2.37	0.64(0.61 [48])	-4.59(-5.02 [78])	Semi-conductor
Ge	Diamond	5.76(5.76 [79])	2.49	0.00(0.00 [79])	-3.76(-3.76 [80])	Semi-metal
$\alpha$ -Sn	Diamond	6.66(6.65 [81])	2.88	0.00(0.00 [82])	-3.18(-3.20 [81])	Semi-metal
$\beta$ -Sn	Tetragonal	5.96(5.93 [81])	3.09	0.00	-3.13(-3.16 [81])	Metal
Pb	FCC	5.04(5.05 [83])	3.56	0.00	-3.01(-2.36 [83])	Metal

**Figure 1.** Calculated electronic band structure and total DOS of carbon (a), silicon (b), germanium (c),  $\alpha$ -tin (d),  $\beta$ -tin (e), and lead (f). The Fermi level is set to zero eV.

In the light of aforementioned previous work, it is reasonable to presume the need of a thorough investigation to observe how uniformly the geometry and electronic band structure varies in all group-IV monolayers upon hydrogenation. In fact, it would be more intuitive to study these structural trends in terms of the orbitals of bonding electrons. The fact that H atoms can be experimentally adsorbed to only one side of the monolayer further adds to our motivation to study the single-sided hydrogenation. The main purpose of the present work is to investigate and understand the structural and electronic properties of pristine, semi and fully hydrogenated Xenes including SOC.

## 2. Computational details

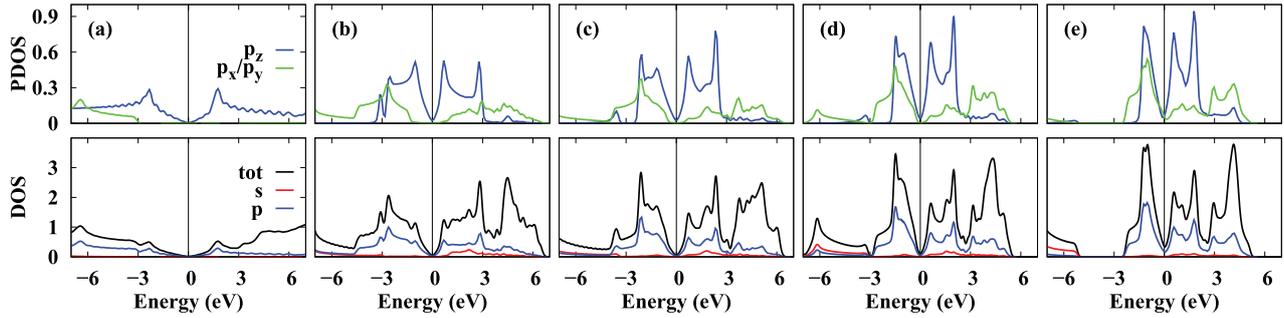
We performed full unit cell optimization and electronic structure calculations of pristine, SH and FH Xenes using density functional theory (DFT) with a plane wave basis as implemented in the Quantum ESPRESSO [70] code. We used ultrasoft pseudopotentials [71] and the generalized gradient

**Figure 2.** Side view of buckled structure with bond angle  $\theta$  and buckling height  $\delta$ .

approximation (GGA) with the exchange-correlation functional of Perdew, Burke, and Ernzerhof (PBE) [72]. The converged value of plane wave basis cut-off was 60 Ry for wave functions and 240 Ry for charge density. A convergence threshold was set at  $1 \times 10^{-8}$  Ry for the energy self-consistency and 0.001 Ry/Bohr for the forces. For the cell relaxation and lattice constant optimization, integration over the Brillouin zone was performed on regular  $20 \times 20 \times 1$  Monkhorst-Pack [73] grids, while  $30 \times 30 \times 1$  for calculation of DOS, band structures and charge densities. The band structure was plotted along the lines joining high symmetry points, taken in the order:  $\Gamma$ ,  $M$ ,  $K$  and  $\Gamma$ . A vacuum gap of about 15 Å is maintained between planes of monolayers to preclude inter-layer interactions.

**Table 2.** Optimized lattice constant  $a$  (in Å), bond length  $l$  (in Å), buckling height  $\delta$  (in Å), degree of hybridization  $D$ , bandgap without SOC  $E_g$  and with SOC  $E_g^*$  (in meV), and cohesive energy  $E_c$  (in eV/atom) for the buckled 2D pristine Xenes. The values inside brackets represent the previous literature data.

X	$a$	$l$	$\delta$	$D$	$E_g$	$E_g^*$	$E_c$
C	2.46(2.46 [55])	1.42(1.42 [55])	0.00(0.00 [55])	2.00	0.00	0.00(0.05 [44])	-7.82(-7.95 [85])
Si	3.88(3.87 [86])	2.28(2.28 [86])	0.41(0.45 [86])	2.27	0.00	1.30(1.55 [45])	-3.86(-3.95 [84])
Ge	4.05(4.06 [86, 87])	2.42(2.44 [86, 87])	0.65(0.69 [86], 0.67 [87])	2.63	0.00	22.8(23.9 [47])	-3.19(-3.24 [55])
Sn	4.68(4.55 [49], 4.67 [55])	2.83(2.75 [49], 2.70 [55])	0.85(0.81 [49], 0.85 [55])	2.74	0.00	76.2(74.0 [48, 49])	-2.65(-2.8 [88])
Pb	4.94(4.93 [51, 52])	3.00(3.00 [51, 52])	0.93(0.99 [51], 0.925 [52])	2.81	0.00	476(440 [51])	-2.28



**Figure 3.** Calculated electronic total DOS (black) and PDOS of pristine graphene (a), silicene (b), germanene (c), stanene (d) and plumbene (e). The zero-axis is set at the Fermi level. The red(blue) color in DOS represents the  $s(p)$  contributions. The blue (green) color represents the  $p_z(p_x/p_y)$  electrons in PDOS.

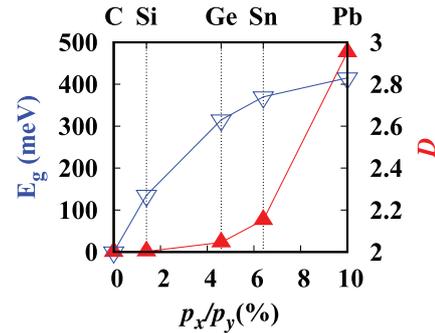
### 3. Results and discussions

In this part, we will discuss the structural and electronic properties of (a) bulk and monolayer Xenes, (b) SH Xenes, and (c) FH Xenes.

#### 3.1. Bulk and monolayer Xenes

Before we present the structural and electronic properties of Xenes, it is very essential to investigate the bulk materials. In this section we present the structural and electronic properties of bulk group-IV elements: carbon, silicon, germanium, tin, and lead. Out of various allotropic forms, we choose to study the diamond structure for C, Si, Ge, and  $\alpha$ -Sn. For  $\beta$ -Sn and Pb, we used tetragonal and face-centred cubic structures, respectively. Our calculated equilibrium lattice constant  $a$  is 3.57 Å, 5.47 Å, 5.76 Å, 6.66 Å, 5.96 Å, and 5.04 Å for C, Si, Ge,  $\alpha$ -Sn,  $\beta$ -Sn, and Pb, respectively. Furthermore, the calculated bond length  $l$  is 1.55 Å, 2.37 Å, 2.49 Å, 2.88 Å, 3.09 Å, and 3.56 Å for C, Si, Ge,  $\alpha$ -Sn,  $\beta$ -Sn, and Pb, respectively. The cohesive energy  $E_c$  per atom of all these materials is also calculated. Our results are summarized in table 1 and our calculated values match well with the previous studies. Table 1 shows that  $l$  increases smoothly as one moves from C to Pb. On the other hand, the calculated cohesive energy  $E_c$  (per atom) decreases down the group, with a value of  $-7.78$  eV for C,  $-4.59$  eV for Si,  $-3.76$  eV for Ge,  $-3.18$  eV for  $\alpha$ -Sn,  $-3.13$  eV for  $\beta$ -Sn, and  $-3.01$  eV for Pb.

Using these optimized structural parameters, we calculated the electronic band structures, total and partial DOS for the above mentioned bulk materials as shown in the figure 1. Note that the band structures of C, Si, Ge and  $\alpha$ -Sn look much alike since all of these materials share the same crystal structure. The three-fold degeneracy of the top-most occupied states persists at  $\Gamma$  point for C, Si, Ge and  $\alpha$ -Sn (see figures 1(a)–(d)). On the other hand, the calculated band structures for  $\beta$ -Sn and Pb, shown in figures 1(e) and (f), respectively, are different from the aforementioned materials due to their different crystal structures. The resulting bandgap  $E_g$  is 4.15 eV for C (semiconductor), 0.64 eV for Si (semi-conductor), 0.00 eV for Ge (semi-metal) and 0.00 eV for  $\alpha$ -Sn (semi-metal), where  $\beta$ -Sn and Pb turn out to be metals. To our interest, as we increased the lattice constant of Ge upto 1.8% and calculated the band structure, it resulted into opening the bandgap of 0.49 eV.



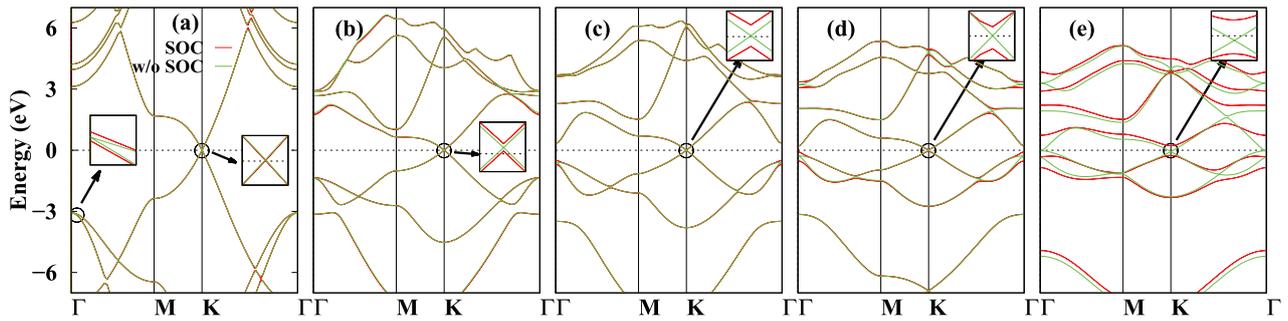
**Figure 4.** Dependence of  $E_g$  (empty triangles) and degree of hybridization  $D$  (solid triangles) upon the contribution (%) of  $p_x/p_y$  electron to the states at the Fermi level in pristine Xenes.

Disagreement of DFT calculated bandgaps (specially for Si and Ge at equilibrium  $a$ ) with their experimental values [74] can not be ignored because the error in the results arises due to the fact that GGA does not predict the true electronic bandgaps for most of the semiconducting materials [75]. However, otherwise, these values match well with the previous DFT results (see table 1).

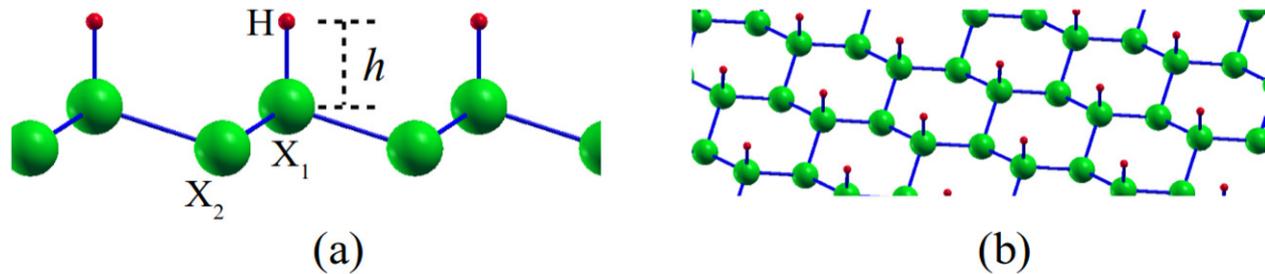
In the above paragraph, we mainly focused on structural and electronic properties of bulk system. It will be very interesting to see how the lattice parameter and electronic structure change when we reduce the dimensionality of a material, i.e. making a monolayer. Here we consider the pristine hexagonal monolayer Xenes of group-IV. Except graphene, all the other group-IV Xenes show buckled structure upon relaxation as shown in figure 2. Our calculated equilibrium lattice constant  $a$ , bond length  $l$ , and buckling height  $\delta$  for Xenes are summarized in the table 2. A gradual increase in  $a$ ,  $l$  and  $\delta$  can be seen as the system changes from graphene to plumbene. The increase in  $a$  (or  $l$ ) can be attributed to atomic radius as one moves down the group—chemical bonds of large atoms tend to equilibrate at larger distances due to electronic repulsion. The emergence of buckling  $\delta$  observed down the group, which increases as the atomic number of element increases down the group IV element. As the system changes from graphene to silicene, silicene to germanene, and so on, the lattice parameter also increases which results in weakening the bonds between the neighbouring atoms. To regain the bond strength, one of the two atoms (in a unit cell) is forced out of plane, ending up in a buckled structure. And the final structure

**Table 3.** Optimized lattice constant  $a$  (in Å), bond length b/w  $X_1$ - $X_2$   $l$  (in Å), bond length b/w  $X_1$ -H  $h$  (in Å), buckling height  $\delta$  (in Å), degree of hybridization  $D$ , spin-up (down) bandgap  $E_{g\uparrow}$  ( $E_{g\downarrow}$ ) in eV, magnetic moment  $\mu$  (in  $\mu_B$ /cell), and non-spin polarized (spin-polarized) cohesive energy  $E_c$  ( $E_c^*$ ) in eV/atom for buckled SH Xenes. The values inside brackets represent the previous literature data.

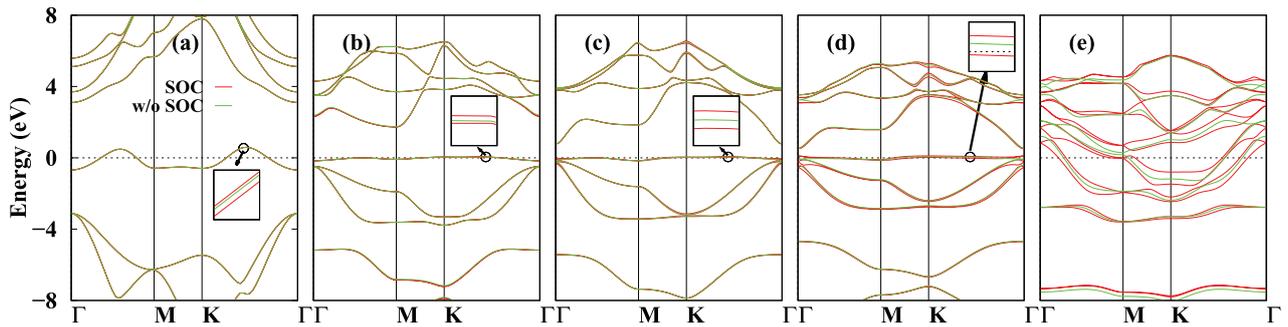
SH-X	$a$	$l$	$h$	$\delta$	$D$	$E_{g\uparrow}$	$E_{g\downarrow}$	$\mu$	$E_c$	$E_c^*$
C	2.53(2.53 [64])	1.48(1.49 [61])	1.17(1.16 [61])	0.24(0.32 [61])	2.18	3.23	3.12	1.0	-5.41	-5.47
Si	3.88(3.89 [86])	2.35(2.35 [86])	1.52(1.51 [86])	0.70(0.68 [86])	2.73	2.19	0.90	1.0	-3.16	-3.27
Ge	4.20(4.11 [86, 87])	2.50(2.49 [86, 87])	1.58(1.58 [86, 87])	0.78(0.76 [86, 87])	2.84	0.89(0.89 [87])	0.23	1.0	-2.64	-2.72
Sn	4.75(4.11 [63])	2.89(2.89 [63])	1.76(1.76 [63])	0.92(0.92 [89])	2.87	0.54	0.00	1.0	-2.28	-2.32
Pb	4.14	3.09	1.81	1.97	—	—	—	0.0	-2.12	-2.12



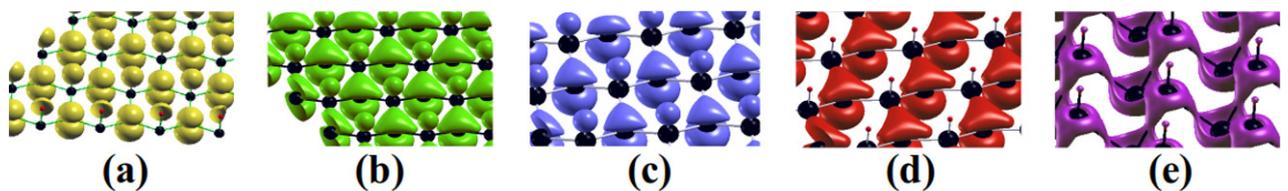
**Figure 5.** Calculated electronic band structure of pristine graphene (a), silicene (b), germanene (c), stanene (d) and plumbene (e). Red(green) color represents SOC(non-SOC) calculations. The insets show magnified areas of the mentioned portion. The Fermi level is set to zero eV.



**Figure 6.** Side (a) and perspective(b) views of a typical SH Xene with an X–H bond length  $h$ . Large (small) balls represent X (H) atoms.  $X_1$  ( $X_2$ ) show the hydrogenated (unhydrogenated) atom.



**Figure 7.** Calculated electronic band structure of non-spin polarized buckled SH graphene (a), silicene (b), germanene (c), stanene (d) and plumbene (e). The insets show magnified areas of the mentioned portion. Red(green) color represents SOC (non-SOC) calculations. The Fermi level is set to zero eV.

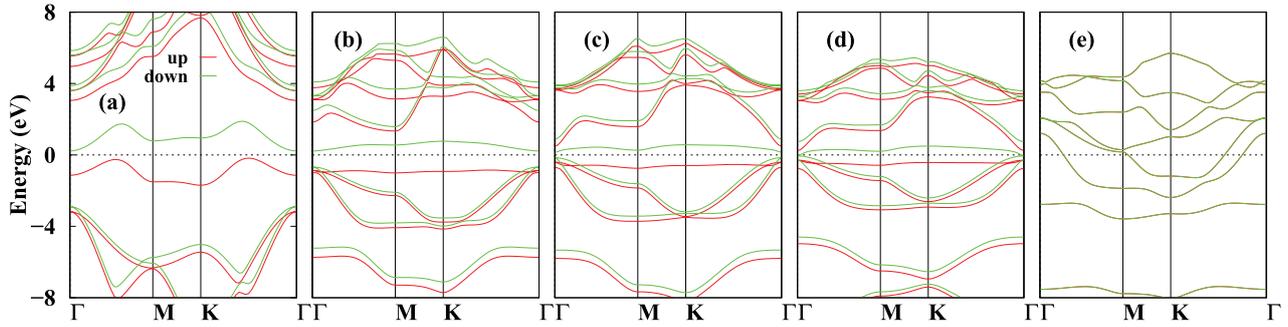


**Figure 8.** Calculated 3D charge density shown by isosurfaces for SH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e).

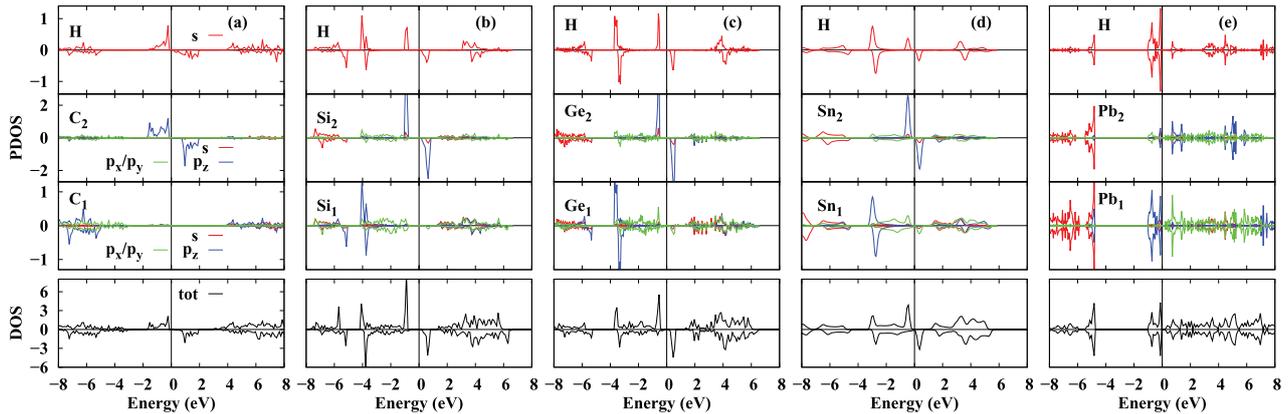
achieved in this way possesses strong bonds as compared to unrelaxed one. Hence, buckling prompts in most of the monolayers upon relaxation due to their tendency to be more energetically stable. We also studied the planar structures of pristine Xenes (except graphene) and found their optimized lattice constants are larger in magnitude than those of their buckled counterparts because the absence of buckling would

bring the nuclei close enough so that they repel each other and attain an enhanced bond length. We also calculated the cohesive energy per atom which is also summarized in table 2, and it is clear to see that the cohesive energy for planar Xenes has smaller values than for buckled ones.

The bond angle  $\theta$  (see figure 2) between the X atoms can be correlated with the degree of hybridization  $D$ , given by the



**Figure 9.** Calculated electronic band structure of spin polarized buckled SH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e). Red(green) color represents spin-up(down) calculations. The Fermi level is set to zero eV.



**Figure 10.** Calculated electronic total DOS (black) and PDOS of spin polarized buckled SH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e). The zero-axis is set at the Fermi level. The red(blue) color represents the total  $s(p)$  orbital contributions.

empirical relation  $D = -1/\cos(\theta)$ , which helps to understand the  $sp^D$  hybridization [84]. In the case of pristine Xenes, the calculated bond angle uniformly varies from  $120^\circ$  to  $110.9^\circ$  for graphene to plumbene, respectively. This shows that graphene is purely  $sp^2$  while plumbene is almost  $sp^3$  hybridized ( $D = 2.81$ ). In between these two extremes, the  $D$  uniformly varies from 2 to 3 for the remaining three Xenos, as shown in table 2. Interestingly, we are successful in representing the dependence of  $D$  on the contribution of  $p_x/p_y$  electrons to the states at Fermi level. As shown in the figure 3, the calculated projected density of states (PDOS) reveals that the electrons at the Fermi level are purely  $p_z$  in case of graphene, resulting in strong  $\pi$  bonds. But in silicene (upto plumbene),  $p_x/p_y$  electrons also show their contributions to the top-most filled state in addition to  $p_z$  electrons. Thus, the bonds are no longer purely  $\pi$  type, rather a mixing of  $\pi$  and  $\sigma$  bonds. The calculated electron localization function (ELF) for the pristine Xenos confirms the  $sp^2$  and  $sp^3$  orbitals mixing (see figure S2 ([stacks.iop.org/JPhysCM/32/205501/mmedia](https://stacks.iop.org/JPhysCM/32/205501/mmedia))). Having obtained the required data from PDOS calculations, we plot  $D$  as a function of contributions from  $p_x/p_y$  electrons in figure 4.

Now we will focus on the electronic structure of Xenos. The calculated electronic band structures are shown in figure 5 with and without SOC. At  $K$ -point, the Fermi level is seen to be passing through the middle of two intersecting lines, called Dirac cone—assuming a linear energy dispersion in its vicinity. Each band line is two-fold degenerate due to presence of time-reversal and space-inversion symmetries in the

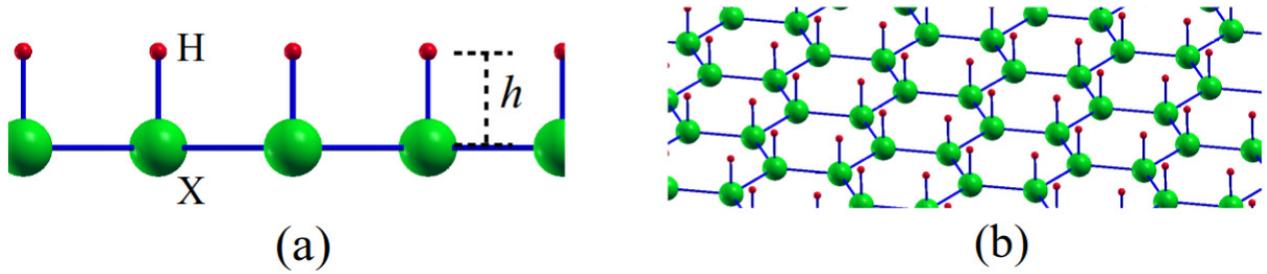
systems under consideration. The band structure shows gapless states for all group-IV Xenos without SOC and behave as semi-metallic in nature. However, the inclusion of SOC engenders the fascinating results in that the bandgap arises gradually from 0 meV (graphene) to 476 meV (plumbene), so the SOC mainly opens the bandgap at the Dirac point. From the PDOS data, we analysed that the bandgap opening is attributed to the involvement of  $p_x/p_y$  electrons (in the presence of SOC), in addition to  $p_z$  electrons, to the top most filled states near the Fermi level, as shown in figure 4. Consequently, graphene, which has no contributions from  $p_x/p_y$  at Dirac point shows zero bandgap with or without SOC. As we move to the other group-IV Xenos,  $p_x/p_y$  electron states also add to the  $p_z$  states, which then induces a bandgap in the presence of SOC. Hence, it is concluded that bandgap opening at the  $K$ -point is attributed to  $p_x/p_y$  electrons of Xenos. Furthermore, we also studied the planar Xenos for the sake of comparison. The results showed that planar Xenos prefer increased lattice constant (see table S1) and metallic behaviour (see figure S1).

### 3.2. Semi hydrogenated Xenos

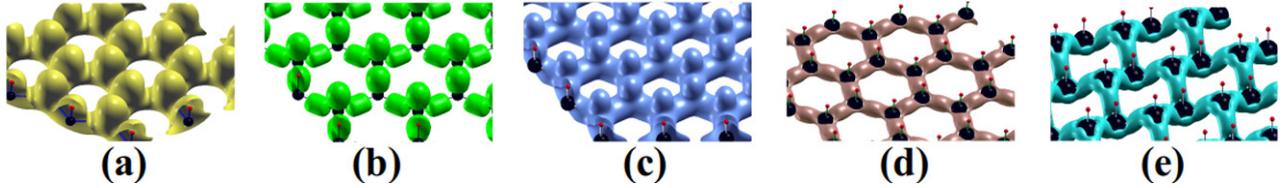
Now we will focus on SH Xenos, where we applied semi hydrogenation to Xenos which refers to the adsorption of H atom to  $X_1$ , leaving  $X_2$  intact (see figure 6). Table 3 shows our optimized structural parameters for SH Xenos. We find that SH leads to enhanced buckling  $\delta$  in all Xenos upon relaxation, as shown in figure 6. It depicts a tendency towards more  $sp^3$  like

**Table 4.** Optimized lattice constant  $a$  (in Å), bond length b/w X–X  $l$  (in Å), bond length b/w X–H  $h$  (in Å), buckling height  $\delta$  (in Å), degree of hybridization  $D$ , bandgap without SOC  $E_g$  and without SOC  $E_g^*$  (in eV), and cohesive energy  $E_c$  (in eV/atom) for the FH Xenos. The values inside brackets represent the previous literature data.

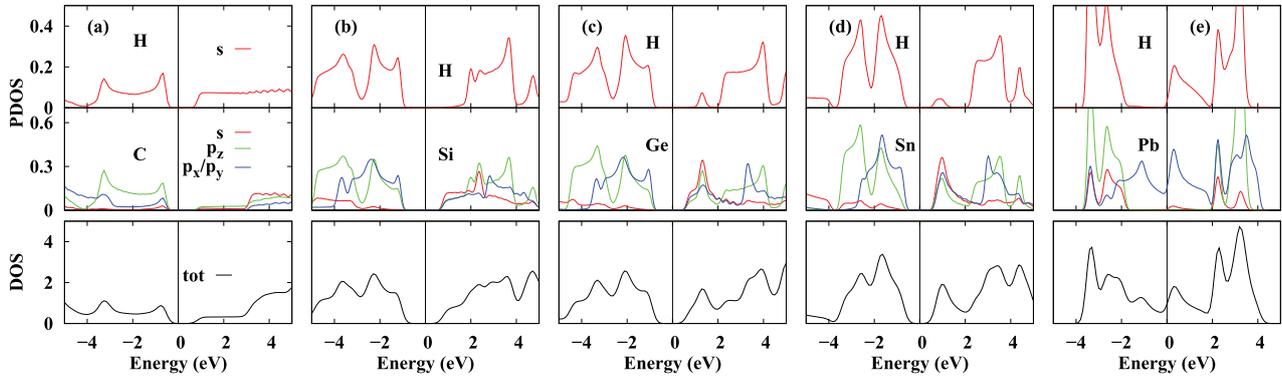
FH-X	$a$	$l$	$h$	$\delta$	$D$	$E_g$	$E_g^*$	$E_c$
C	2.83(2.83 [69])	1.64(1.64 [69])	1.07(1.08 [69])	0.00(0.00 [69])	2	1.40(1.89 [69])	1.40	−4.25(−5.54 [69])
Si	4.15	2.39(2.33 [91])	1.50	0.00(0.00 [91])	2	1.90	1.87	−3.05(−4.43 [69])
Ge	4.34(4.36 [87])	2.51(2.52 [87, 91])	1.56(1.56 [87])	0.00(0.00 [87])	2	1.60(1.7 [87])	1.55	−2.64(−3.77 [69])
Sn	4.99	2.88(2.82 [89])	1.75(1.74 [89])	0.00(0.84 [89])	2	1.33	1.14(0.57 [89])	−2.30
Pb	4.87	3.12	1.85	1.37	—	0.00	0.47	−2.00



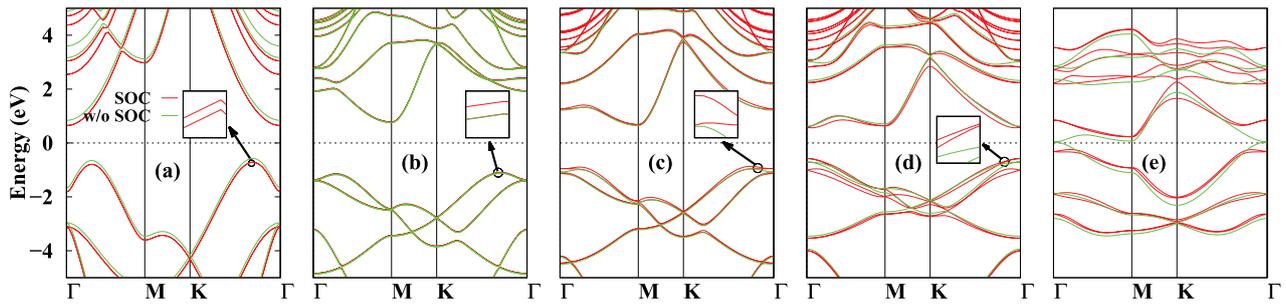
**Figure 11.** Side (a) and perspective (b) views of a typical FH Xene with an X–H bond length  $h$ .



**Figure 12.** Calculated 3D charge density shown by isosurfaces for FH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e).



**Figure 13.** Calculated electronic total DOS (black) and PDOS of FH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e). The zero-axis is set at the Fermi level. The red, green and blue colors represent the total  $s$ ,  $p_z$  and  $p_x/p_y$  orbital contributions, respectively.

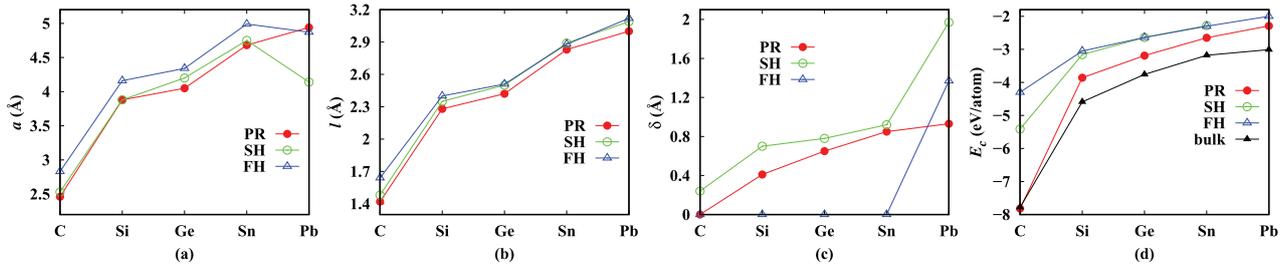


**Figure 14.** Calculated electronic band structure of FH graphene (a), silicene (b), germanene (c), stanene (d), and plumbene (e). The insets show magnified areas of the mentioned portion. Red(green) color represents SOC(non-SOC) calculations. The Fermi level is set to zero eV.

structures upon semi hydrogenation. Even in the case of graphene which is otherwise planar, semi hydrogenation is capable to pull C atom out of plane. We further observe that the calculated  $a$ ,  $l$  and  $h$  for SH Xenes are also increased in magnitude as compared to those of the pristine ones. As a consequence, the computed cohesive energy per atom is also reduced.

As described previously, one of the aspects of this work is to discuss the trends of different properties among Xenes down the group-IV. Again from the table 3, one observes that

lattice constant  $a$  increases from C to Sn but then decreases for the case of Pb. On the other hand, the bond length  $l$  and  $X_1$ –H bond length  $h$  keep on increasing from C to Pb. This shows that upon SH, the crystal structure of Pb hugely differs from the rest of SH Xenes. To understand this, we come to know from the previous literature that pristine plumbene has two stable structures: low buckled and high buckled. The high buckled structure is much more stable as compared to the low one. We chose to study only the low buckled structure. Since



**Figure 15.** Trends of lattice constant (a), bond length (b), buckling height (c) and cohesive energy (d) among pristine, SH and FH Xenes. Pristine (semi hydrogenated) Xenes are represented by solid (empty) circles, while fully hydrogenated Xenes (bulk phase) are represented by empty (solid) triangles.

it is already comparatively less stable, semi hydrogenation further reduces its stability and the structure distorts tremendously. We will shortly see how deeply the geometry influences the electronic structure of SH Xenes.

The calculated band structures of SH Xenes are shown in the figure 7 in which the top-filled states are seen crossing the Fermi level. As compared to the pristine Xenes, the Dirac cone has now disappeared and flat bands emerge instead. It results because the added H atom makes  $\sigma$  bonds with the host  $X_1$  atom, which ends up breaking the  $\pi$  bonds between  $p_z$  orbitals of  $X_1$  and  $X_2$  atoms, as shown in the figure 8. To better visualize the bonds among  $s$ ,  $p_x$ ,  $p_y$  and  $p_z$  orbitals, the calculated ELF is shown in figure S3.

Since hydrogenation breaks the inversion symmetry, we find that incorporating SOC in the non-spin polarized band structure calculations results into splitting of the states, except at time reversal invariant momenta (TRIM) points. The magnitudes of maximum splitting obtained along  $\Gamma$ - $K$  direction are 2 meV, 19 meV, 30 meV, 94 meV and 746 meV from SH graphene to SH plumbene, respectively, which increase down the group. One should note that these values are larger as compared to bandgap opening occurring at  $K$  point in case of pristine Xenes. Nevertheless, unlike pristine Xenes, there is no SOC-driven bandgap opening for SH Xenes.

The band at the Fermi energy is mainly contributed by H atoms. Such a band at the Fermi energy will give birth to large DOS at the Fermi energy which will lead to magnetic instability in the system. And it is expected that SH Xenes will show magnetism. The spin polarized band structures are shown in the figure 9. Now it is clear to see a spin polarized band at the Fermi level for all SH Xenes except Pb which does not show any signature of spin polarization. The absence of spin polarized states is mainly due to structural distortion in Pb.

The spin polarized calculations also yield a magnetic moment of  $1.0\mu_B$  due to localized unpaired electron in  $X_2$  atom. Moreover, the spin-up and spin-down states have bandgaps  $E_g(\uparrow)$  &  $E_g(\downarrow)$ , respectively, which decrease down the group as shown in table 3. For spin-up states the bandgap is indirect for SH graphene and SH silicene, and becomes direct bandgap for the rest cases. Similarly, spin-down states show direct bandgap throughout. All direct bandgaps are calculated at  $\Gamma$  point. So SH graphene, silicene, and germanene are magnetic semiconductors and stanene is half-metal whereas plumbene is a non-magnetic metal. The cohesive energies

clearly show that the spin polarized states are energetically more favourable than non-spin polarized states.

To know the atomic origin of spin polarization and inducing magnetism in SH Xenes, it is necessary to analyse the PDOS. The PDOS analysis (see figure 10) reveals that the states near the Fermi level mainly consist of  $p_z$  electron from  $X_2$  and  $s$  electron from H atom. The states from  $X_2$  atoms barely participate towards bonding, however, their contribution show a minute increase as we move down the group upto SH stanene.

One can also see that the spin-up  $p_z$  states are completely occupied whereas the spin-down  $p_z$  are empty and such occupied and unoccupied states generate large exchange field that induces magnetism in these systems. Near the Fermi energy, the strong bonding between  $X_2$  and H atoms is also visible. The peaks of  $X_1$  atoms move toward the Fermi energy as one moves from C to Pb. The SH Xenes are found to be energetically less stable as compared to pristine Xenes, but more stable than planar SH Xenes. The above stated discussion is not valid for SH plumbene due to its distorted structure. However the time reversal (TR) symmetry has now also been broken due to magnetism, hence, the spin polarized band structure always show non-degenerate states at all high symmetry points.

### 3.3. Full hydrogenated Xenes

Finally, we will discuss fully hydrogenated Xenes. As we fully hydrogenate the Xenes along one side, the buckling vanishes upon relaxation and the structure becomes planar (see figure 11), depicting  $sp^2$  hybridization. This is achieved at the expense of increased lattice constant  $a$  and X-X bond length  $l$ , both of which are even larger as compared to those of SH Xenes. We must note that buckling in 2D materials strongly depends on the lattice constant, and generally 2D materials with larger lattice constant prefer planar structure than the buckled one [90]. As a result, the cohesive energy  $E_c$  of FH Xenes is further decreased, just as anticipated.

Table 4 shows the calculated optimized structural parameters for FH Xenes. As seen in the table 4, the X-X bond length  $l$  and X-H bond length  $h$  increase for FH Xenes down the group. The values of  $a$ , however, only increase till FH stanene followed by a sudden decrease in the value for FH plumbene. We have already seen this type of anomaly in case of SH Xenes, with somewhat similar reason causing this trend in  $a$  values down the group. Unlike other FH Xenes, the structure of FH plumbene does not favour planar geometry.

The added H atoms make  $\sigma$  bonds with X atoms causing the  $\pi$  bonds between  $p_z$  orbitals of X atoms to become weak. The X–H  $\sigma$  bond strength decreases down the group, as displayed by the charge density (figure 12) and ELF (figure S4 in supplementary information). This fact is evidenced by the PDOS, shown in figure 13 in which the density of  $p_z$  states shows a gradual decrease from FH graphene to FH stanene while that of  $p_x/p_y$  states remains almost the same. Owing to the difference in geometry of FH plumbene from the rest, its PDOS and charge density show only the existence of  $p_x/p_y$  electron states at the Fermi level.

The calculated band structure for FH Xenes turns out to be semiconducting (see figure 14), with a bandgap of the order of eV as shown in table 4. Since  $\pi$  bonding of  $p_z$  electrons has lost, the Dirac cone disappears and opens the bandgap  $E_g$ . The bandgap is indirect for FH graphene, silicene and germanene, while direct for FH stanene. The FH plumbene turns out to be semi-metallic. The  $E_g$  increases as one moves from FH graphene to FH silicene, but then starts decreasing. We also performed the spin polarized calculations and found no signature of spin polarization. The intuition behind this result lies in the unavailability of unpaired localized electrons in any of the X or H atoms. Hence, we conclude that the full hydrogenation mainly changes the electronic structure of Xenes as compared with pristine ones. It is also encouraging to include the SOC in the band structure calculations of FH Xenes. Just like SH Xenes, SOC calculated band structures of FH Xenes also result in splitting of states with magnitudes almost similar to those obtained in case of SH Xenes. Therefore, instead of getting broader, the bandgap  $E_g^*$  (as compared to  $E_g$ ) rather decreases in all FH Xenes (see table 4), except for the case of FH plumbene in which SOC gives rise to bandgap of 0.47 eV, which is otherwise a semi-metal. The band lines split because the system lacks the inversion symmetry, however, the splitting disappears at TRIM points due to TR symmetry.

#### 4. Summary

To summarize, we performed *ab initio* calculations based on DFT to investigate the structural and electronic properties of 2D hydrogenated group-IV Xenes ( $X = \text{C, Si, Ge, Sn, Pb}$ ). The results are summarized in figure 15. We focused on the structural and electronic properties of bulk phases of group IV elements, and we found that both the lattice constant  $a$  and bond length  $l$  increase as we move down the group-IV except Pb. However, the cohesive energy  $E_c$  and bandgap  $E_g$  decrease down along the group. The pristine Xenes which showed buckled structure when relaxed except graphene which prefers planar structure. All the Xenes under study, showed gap-less states at the Dirac point. But including SOC opens a bandgap, ranging from a small value of 1.30 meV (silicene) to as large as 476 meV (plumbene). The bandgap of graphene is unaltered by SOC because the states at the Dirac point, are

composed of  $p_z$  electrons only. We found that  $p_x/p_y$  electrons play the key role in removing the degeneracy of states. The planar Xenes showed increased lattice constants and metallic nature, as compared to buckled Xenes.

Upon semi hydrogenation, the relaxed system intensively buckled and became  $sp^3$  hybridized. Even the graphene, which is otherwise planar, showed buckling of 0.24 Å upon hydrogenation. Interestingly found that the bond lengths of SH Xenes enlarged by only 0.6 Å to 0.9 Å more than the corresponding bond lengths of pristine Xenes. It was found that H makes bonds with its next to nearest neighbouring X atoms. In fact, the  $s$  electrons of H and  $p_z$  electrons of X (unhydrogenated one) are mainly contributed to the states close to the Fermi level. Moreover, spin polarized calculations revealed that the unpaired electron induced a magnetic moment of 1.0  $\mu_B$ . We calculated the spin polarized band structure and calculated the bandgaps between spin-up and spin-down states. SH graphene, silicene and germanene fall in the semi-conducting regime while in SH stanene, the spin-down bandgap is closed, therefore, it showed half-metallic nature. As shown in the figure 15(c), the cohesive energies of SH Xenes decrease down the group, with a magnitude less than that of pristine buckled Xenes. On the other hand, the bond length and buckling, both increase down the group (see figure 15).

Fully-hydrogenated Xenes are also considered. The bond length  $l$  for all FH Xenes (except graphene) remains more or less the same, compared to those of SH Xenes. The fully hydrogenated systems show planar geometry upon relaxation (except FH plumbene), hence, no buckling arises. The added H atoms strongly bond with the X atoms, which were previously  $\pi$  bonded with each other. Therefore, the Dirac cone is disappeared and a bandgap is opened. The bandgap is indirect and increased from 1.36 eV (FH graphene) to 1.90 eV (FH silicene) and then decreased to 1.60 eV (FH germanene). While FH stanene showed a direct bandgap of 1.33 eV at  $\Gamma$  point. FH plumbene showed semi-metallic nature. The calculated charge density showed no H–H  $\pi$  bonds in all FH Xenes. Rather  $s$  electrons from H and  $p_x/p_y$  and  $p_z$  from X contributed to the bond formation from FH graphene to germanene. But in FH stanene, only  $p_x/p_y$  contributed from Sn atom for bond formation. Similar to SH Xenes, the SOC splits the bands in FH Xenes, due to inversion symmetry breaking. However, the SOC results in a bandgap opening for FH plumbene with a value of 0.47 eV. Similar to pristine and SH Xenes, the cohesive energy decreased down the group. We believe that H has much opportunity in Xenes to tune the electronic and structural properties, and Hydrogenated Xenes can be considered for nanoelectronics.

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