

Investigation of the flow part of a high-speed vane pump of a hydraulic unit using numerical hydrodynamic modeling

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Annotation. On this paper was studied the flow part of a high-speed vane pump of a hydraulic unit for pumping fuel of a passenger transport aircraft. To solve the task was used a numerical method for hydrodynamic modeling. It is described the used mathematical model. The obtained pressure and torque graphs on the shaft are given, depending on the feed of the centrifugal pump. The obtained data can be used for further design of the hydraulic unit.

Introduction

The hydraulic unit operation shown in Figure 1 is as follows: the working fluid under pressure, passing through the speed controller (1), enters the discharge cavity of the axial-piston hydraulic motor with an inclined disk (2), as a result of which the cylinder block begins to rotate together with pistons that perform reciprocating motion relative to the cylinder block. As a result of the rotational movement of the block relative to the stationary distributor, the cylinders of hydraulic motors are connected periodically with the suction cavity, then with the discharge cavity.

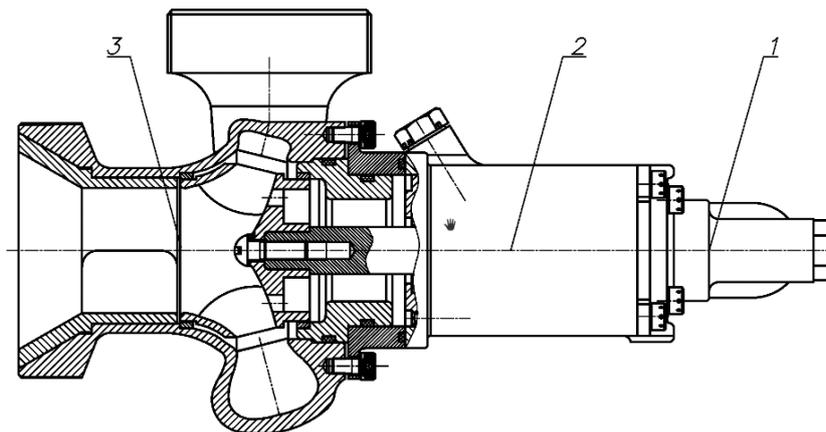


Fig. 1.Diagram of a hydraulic unit for pumping fuel of a passenger transport aircraft

The moment from the pressure forces from the cylinder block is transmitted via a spline connection to the shaft, and then through the spline connection it is transmitted to the impeller of a centrifugal pump (3). The pump casing is completely filled with liquid, and when the impeller rotates, the liquid that is in the channels of the impeller (between its vanes) will be displaced from its center to the

periphery under the action of the arising forces. This will lead to the fact that a vacuum is created at the entrance to the impeller, and pressure increases on the periphery. With increasing pressure, fluid from the pump enters the pressure pipe. And under the action of a vacuum in the suction entrance, the liquid enters the pump through the suction pipe from the feeder tank. Therefore, there is a continuous supply of fluid by a centrifugal pump from the suction to the pressure pipe [1]–[9].

The Centrifugal Pump Specifications are: $Q_{\text{nomcp}}=4,5$ l/s — nominal flow rate, $n_{\text{nomcp}}=6650$ rpm — nominal speed, $H_{\text{nomcp}}=11$ m — nominal head, pumped liquid-aviation kerosene TC-1.

To design the axial-piston hydraulic motor with inclined disk to act as a drive for a vane pump and to study the dynamic characteristics of a hydraulic unit, it is necessary to know the characteristics of the vane centrifugal pump. To obtain more accurate results, it is advisable to use hydrodynamic modeling methods. [10]–[11].

Flow mathematical model

This paper uses a turbulent flow model for an incompressible fluid ($\rho=\text{const}$). The numerical modeling is based on the solution of discrete analogues of the basic equations of hydrodynamics. The calculation is based on a mathematical model of a divided turbulent flow. The developed pump is used in the fuel transfer system of a passenger transport aircraft. It pumps aviation kerosene TS-1. The numerical hydrodynamic modeling was performed in the StarCCM + software package [12]–[15].

The mathematical model consists of a combination of differential and algebraic equations:

1) the mass conservation equation for an incompressible fluid (continuity equation): [16]–[20]

$$\text{div}(v) = 0 \quad (1)$$

2) Equations of change in momentum (Navier-Stokes equations averaged by Reynolds): [16]–[20]

$$\rho \left[\frac{\partial \bar{u}_i}{\partial t} + \bar{u}_j \frac{\partial \bar{u}_i}{\partial x_j} \right] = - \frac{\partial \bar{p}}{\partial x_i} + \frac{\partial}{\partial x_i} \left[T_{ij}^{(v)} - \rho \overline{(u_i u_j)} \right] \quad (2)$$

Where $T_{ij}^{(v)} = 2\mu S_{ij}$ is the viscosity stress tensor for incompressible fluid

$$S_{ij} = \frac{1}{2} \left[\frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right] - \text{is the strain rate tensor}$$

This system of equations is not closed. For its closure was used the $k - \omega$ SST3 — semiempirical two-equation turbulence model.

3) The equation of kinetic energy transfer of turbulence: [2]–[9]

$$\frac{\partial K}{\partial t} + \bar{u}_j \frac{\partial K}{\partial x_j} = P_K - \beta^* \cdot K \cdot \omega + \frac{\partial}{\partial x_i} \left[(v + \sigma_K \cdot \nu_T) \frac{\partial K}{\partial x_j} \right] \quad (3)$$

4) The transport equation for the turbulence kinetic energy relative dissipation rate: [9]–[15]

$$\frac{\partial \omega}{\partial t} + \bar{u}_j \frac{\partial \omega}{\partial x_j} = \alpha \cdot S^2 - \beta \cdot \omega^2 + \frac{\partial}{\partial x_i} \left[(v + \sigma_{\omega 1} \cdot \nu_T) \frac{\partial \omega}{\partial x_j} \right] + 2 \cdot (1 - F_1) \cdot \sigma_{\omega 2} \cdot \frac{1}{\omega} \frac{\partial K}{\partial x_j} \frac{\partial \omega}{\partial x_j} \quad (4)$$

Construction of the predicted characteristic of Hteor (Q) using the jet theory:

Theoretical head for a finite number of blades: [1]

$$H_T = \frac{\omega}{g} \left(R_2^2 y \omega - \frac{R_2 Q}{2\pi R_{t2} b_2 \psi_2 t g \beta_2} \right) \quad (5)$$

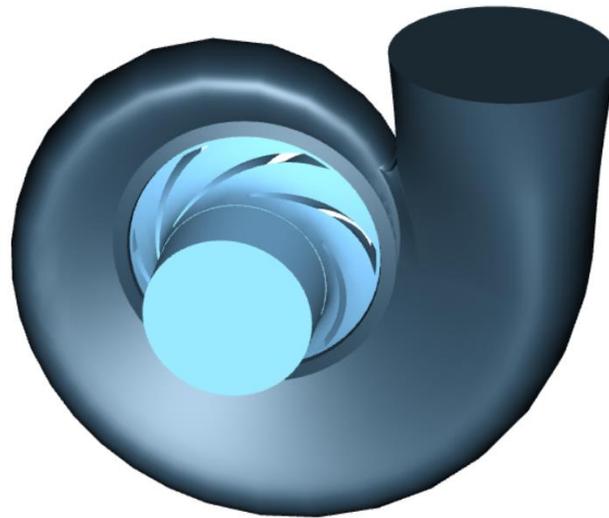


Fig. 2.Flow 3D-model for the centrifugal pump

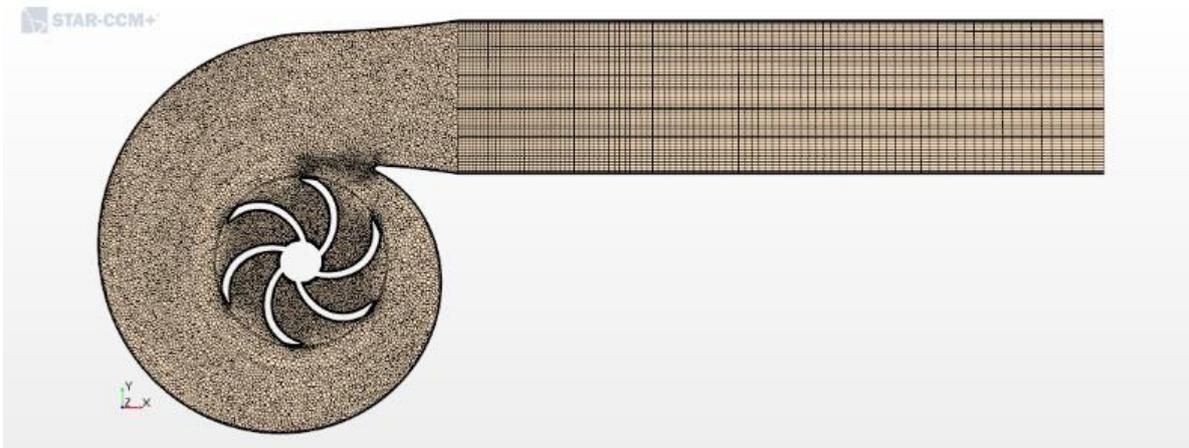


Fig. 3 Extruder grid

Outlet beam:

$$H_T = \frac{Q\omega}{A_s g} \quad (6)$$

Differential pressure on the gap seal:[1]

$$\Delta H = H_{T_{opt}} - \eta_h H_{T_{opt}} \quad (7)$$

Hydraulic loss:[2]

$$\Delta H = h_{fr}(Q) = H_T (1 - \eta_h) \bar{Q}^2 = \Delta H \bar{Q}^2 \quad (8)$$

Where

$$\bar{Q} = \frac{Q}{Q_{opt}} = \frac{Q}{4,5 \cdot 10^{-3}} \quad (9)$$

We find the predicted characteristic by subtracting from the theoretical pressure head the hydraulic losses:(10)

$$H_{teor}(Q) = H_T - h_{fr}(Q)$$

When constructing the predicted characteristics, an assumption was made about the shockless entry of the working fluid into the impeller. [2]

The magnitude of the flow Q_1 through the impeller seal near to the optimal regime is taken constant. This allows you to find for each point the corresponding value of the pump flow $Q_p = Q - Q_1$ and build its predicted pressure characteristic $H_{teor}(Q)$ at a given rotational speed of the impeller. [2]

Calculation results

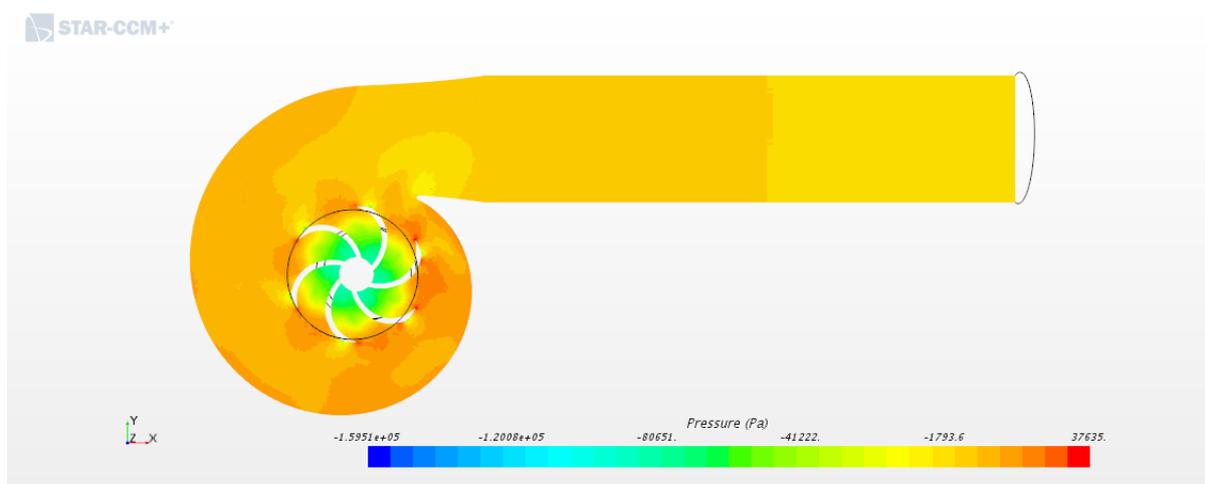


Fig. 4. Scalar field of the fluid pressure in the pump flow part at optimal operation

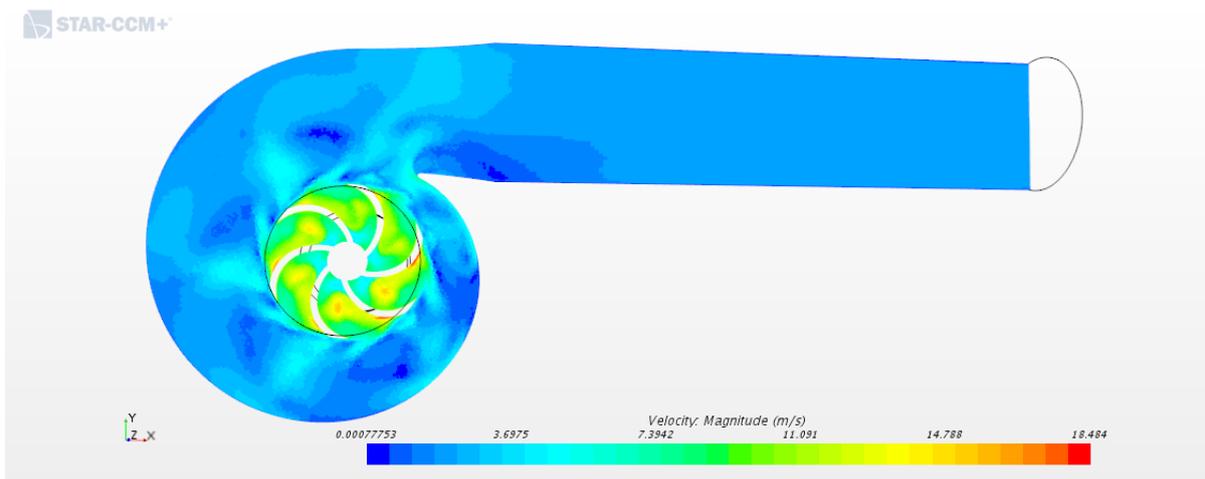


Fig. 5. Scalar field of the fluid velocity in the pump flow part at optimal operation

The calculation points were obtained from the STARCCM + software package, according to which the graphs of the desired dependencies were plotted in Excel, shown at Fig.6 and 7.

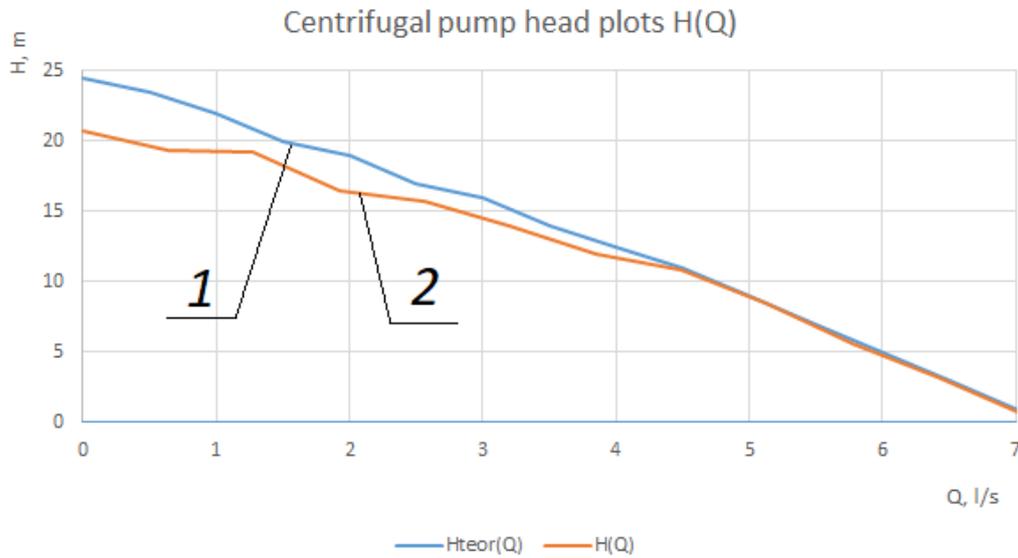


Fig. 6. Graph Head vs pump flow

Predictive characteristic of the $H_{teor}(Q)$ vane pump, obtained using the jet theory;

1. Characteristic $H(Q)$ of a vane pump obtained by hydrodynamic modeling in the STARCCM + software package.

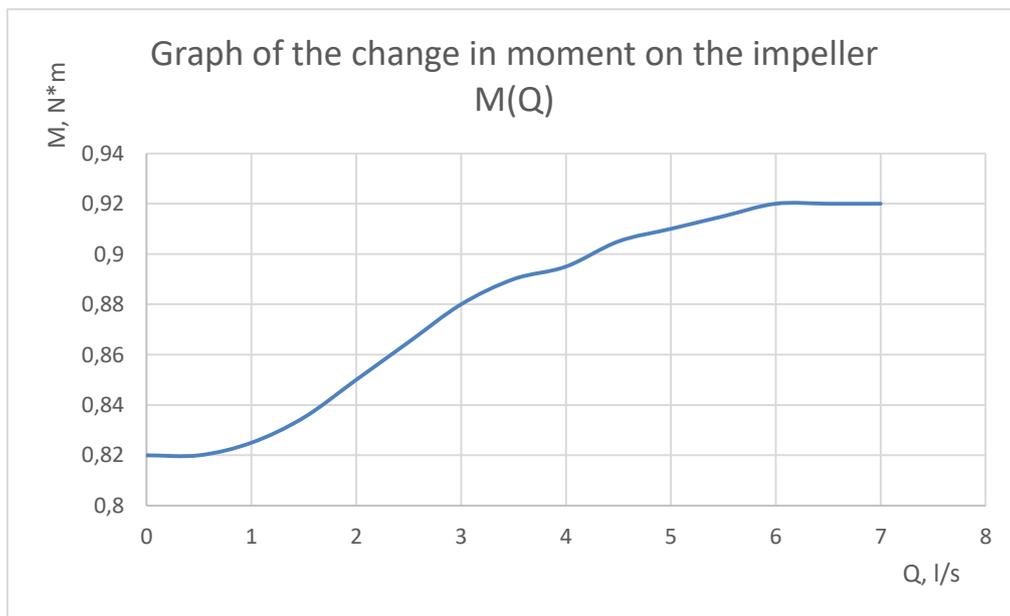


Fig. 7. Graph of the impeller torque based on pump flow

Conclusions

The analysis showed the effectiveness of this mathematical model. The calculation showed that the characteristic of the impeller pump $H(Q)$ near the optimal operation of the hydraulic unit calculated using hydrodynamic modeling tools has a minimum discrepancy with the predicted characteristic $H_{teor}(Q)$, calculated using the jet theory. Also were obtained the results for designing an axial piston hydraulic motor with an inclined disk as a vane pump drive and the dynamic characteristics of a hydraulic unit.

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